# Comparison Between Two Attenuation Models and Precipitation Evaluation With Ground Validation 

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#### Abstract

In this paper, we present an algorithm to correct the horizontal reflectivity factor $Z_{h}$ for attenuation by absorption plus scattering of a polarimetric radar located at the Experimental Station of INTA, in Oro Verde, Entre Rios, Argentina. Data correspond to two storms which occurred on November 18, 2009. The correction obtained was compared with models from the literature. Results show good agreement for regions with reflectivity factor lower than 55 dBZ while for regions that go over this limit, the corrections are different. Comparisons with rain gauges indicate the need of more statistics to improve the correlation.


Index Terms-Atmospheric propagation, attenuation, clouds, radar polarimetry, rainfall effects.

## I. Introduction

THE work by Marshall and Palmer [1] greatly contributed to make radar a significant tool for quantitative precipitation estimation. They showed that the size distribution $N(D)$ could be expressed by a simple function of the precipitation intensity, and this implied the existence of a relation between the reflectivity factor $Z\left(\mathrm{~mm}^{6} / \mathrm{m}^{3}\right)$ and the precipitation rate $R(\mathrm{~mm} / \mathrm{h})$.

Further studies (e.g., [2]), showed that there are variabilities from place to place and from storm to storm, making it difficult to establish a unique relation between $R$ and $Z$. It was suggested that $Z$ may not be enough to provide all the information needed for the quantification of $R$ [3].

The introduction of polarimetric radar paved the way for better relations to estimate $R$. These radars provide new parameters such as the specific phase difference (KDP) and the differential reflectivity (ZDR). Large (millimetric) raindrops deform as their fall resemble oblate spheroids (with the short axis oriented vertically on average). Therefore, the macroscopic effective (air plus particles) propagation medium possesses an anisotropic refraction index, which causes a difference in optical paths for

[^0]both the horizontal polarization and the orthogonal one. As a result there will be an increasing phase difference between the two waves as they advance. A different parameter ZDR consists of the ratio between the backscattered intensities of both waves. Consequently a measurement of ZDR provides an estimation of the size of raindrops [4].

In this paper, we present an algorithm to correct the radar reflectivity factor for attenuation using microphysical considerations and data from a disdrometer. These results were used to estimate the precipitation rate which was then compared with rain gauges from four stations. To validate quality of our data it was considered important to compare the present results with procedures by Gu et al., who use polarimetric variables, in particular phase shift $\phi_{\mathrm{DP}}$ which is inmune to attenuation and $\rho_{\mathrm{hv}}$ [5].

## II. PRINCIPAL PARAMETERS

## A. Shape Parameters and Dielectric Constant

Raindrops are subjected to a number of influences: pressure, hydrodynamic stresses, surface tension, gravitational and electrical forces. These are the forces that shape a raindrop. In an early attempt to characterize the raindrop shape parameters, [6] used a sort of hydrostatic model to characterize the drops while assuming the oblate spheroid shape. The parameters of interest are the semimajor ( $a$ ) and semiminor $(b)$ axis and their ratio $b / a$ expressed as a function of the spherical equivalent diameter $D$ in millimeters. The possible oscillations are neglected at this stage.

Empirically, [7] suggested a polynomial to fit their measurements of $b / a$ and those by other authors in the range of $1 \leq D \leq 7 \mathrm{~mm}$ :

$$
\begin{equation*}
\frac{b}{a}=c_{0}+c_{1} D+c_{2} D^{2}+c_{3} D^{3}+c_{4} D^{4} \tag{1}
\end{equation*}
$$

where $c_{0}=1.0048, c_{1}=5.7 \times 10^{-4}, c_{2}=-2.628 \times 10^{-2}$, $c_{3}=3.682 \times 10^{-3}$ and $c_{4}=-1.677 \times 10^{-4}$. Clearly, the backscatter of a radar wave with an arbitrarily oriented linear polarization will suffer a change in polarization, i.e., decomposing in horizontal and orthogonal polarization each component will be scattered differently. A parameter used to characterize the electric field inside the drop taking into account the geometry is the depolarizing factor $\xi$, which as a function of eccentricity $e$ is

$$
\begin{equation*}
\xi=\frac{1}{e^{2}}\left(1-\frac{b}{a} \frac{\sin ^{-1} e}{e}\right) \tag{2}
\end{equation*}
$$

where $e=\sqrt{1-\left(\frac{b}{a}\right)^{2}}$.
With the oblate shape comes different backscatter cross sections according to the wave polarization orientation. Besides, the cross section is also a function of the size and the wavelength $\lambda$. In the so called Rayleigh approximation $(\lambda \gg D)$, the backscattering cross section for horizontal and vertical orientations $\sigma_{B}^{h}$ and $\sigma_{B}^{v}$ respectively are given by [8]

$$
\begin{align*}
\sigma_{B}^{h} & =\frac{\pi^{5} D^{6}}{9 \lambda^{4}}\left|f_{h}\left(D, \epsilon_{r}\right)\right|^{2}  \tag{3}\\
\sigma_{B}^{v} & =\frac{\pi^{5} D^{6}}{9 \lambda^{4}}\left|f_{v}\left(D, \epsilon_{r}\right)\right|^{2} \tag{4}
\end{align*}
$$

$f_{h}$ and $f_{v}$ are functions of geometry and dielectric properties of the drop. $\lambda$ is measured in millimeters and $\epsilon_{r}$ is the relative complex dielectric constant of liquid water which is a function of $\lambda$ and temperature $T$. These functions can be expressed as

$$
\begin{align*}
f_{h}\left(D, \epsilon_{r}\right) & =\frac{\epsilon_{r}-1}{1+\xi^{\prime}\left(\epsilon_{r}-1\right)}  \tag{5}\\
f_{v}\left(D, \epsilon_{r}\right) & =\frac{\epsilon_{r}-1}{1+\xi\left(\epsilon_{r}-1\right)} \tag{6}
\end{align*}
$$

where $\xi^{\prime}=(1-\xi) / 2$. To lend credibility to (5) and (6), note that (3) and (4) turn into the backscatter cross section of a sphere when $\xi=\xi^{\prime}=\xi_{\text {sphere }}$.

## B. Reflectivity Factor

The actual horizontal reflectivity $\eta_{h}$ of a group of particles can be obtained from (3):

$$
\begin{equation*}
\eta_{h}=\int_{0}^{D_{\max }} \sigma_{B}^{h} N(D) d D \tag{7}
\end{equation*}
$$

where $N(D)$ is the drop size distribution (DSD) which we will represent with a gamma distribution $N(D) d D=$ $N_{0} D^{\mu} e^{-\Lambda D} d D$ in the interval $\left(0<D<D_{\max }\right)$ with $D_{\max }=7 \mathrm{~mm}$ (see e.g., [2]). From the actual reflectivity, the reflectivity factor $Z_{h}$ can be written as

$$
\begin{align*}
& \eta_{h}=\frac{\pi^{5}}{9 \lambda^{4}} \underbrace{\int_{0}^{D_{\max }} D^{6} N(D)\left|f_{h}\left(D, \epsilon_{r}\right)\right|^{2} d D}_{Z_{h}}  \tag{8}\\
& Z_{h}=\int_{0}^{D_{\max }} D^{6} N(D)\left|f_{h}\left(D, \epsilon_{r}\right)\right|^{2} d D \tag{9}
\end{align*}
$$

in $\mathrm{mm}^{6} / \mathrm{m}^{3}$. Unlike spheres, for which the reflectivity factor is purely geometric, nonspherical particles $Z_{h}$ combine geometry with dielectric properties through $f_{h}$.

## C. Precipitation Estimation

The precipitation rate can be expressed in terms of $N(D)$ and the drops terminal velocity $v(D)$ as the volumetric flux of water falling to the surface

$$
\begin{equation*}
R=6 \pi \times 10^{-4} \int_{0}^{D_{\mathrm{max}}} D^{3} v(D) N(D) d D \tag{10}
\end{equation*}
$$

in $\mathrm{mm} / \mathrm{h}$. According to [9] $v(D)=3.778 D^{0.67}(\mathrm{~m} / \mathrm{s})$ so $R$ becomes a moment of the size distribution.

Clearly, $R$ is a relative of $Z_{h}$ but it is also a relative of the polarimetric variables ZDR and of KDP, therefore, $R$, as mentioned above, can be written in terms of all these parameters through empirical relations.

## D. Specific Attenuation

Polarimetric radars share the atmosphere as the propagation medium with many other communication systems. There is an inevitable attenuation associated with the air constituents, although the attenuation work both ways since the return message from the target is also attenuated. The atmospheric attenuation can be traced to a couple of very different mechanisms: 1) the scattering by particles, the 2 ) absorption by the same particles, and 3) the absorption by gases. The first diminishes the energy of the radar beam by redirecting it in other directions, the second decreases the energy of the beam by converting it into heat (dielectric heating in the particles), and the third by molecular excitation of gases, re-emission in other frequencies and directions and also heat.

The scattering attenuation depends strongly on the ratio between the size of the suspended particles and the wavelength. Particles of any size produce scattering but aerosols with sizes less than $1 \mu \mathrm{~m}$ (and, scattering by air molecules), can be neglected for C-band radars as compared with clouds and rain particles scattering. In addition, [10] suggests it is possible to neglect scattering by droplets smaller than $30 \mu \mathrm{~m}$.

Moving to the absorption by gases, only $O_{2}$ and water vapor are significant at C -band frequencies [11].

Denoting as $a_{s}$ and $a_{a}$ the scattering and absorption specific attenuation coefficients (in $1 / \mathrm{km}$ ), the extinction correction factor, $A$, can be calculated by integrating them along the path $s$. Another way to calculate $A$ is to decompose $a_{s}$ and $a_{a}$ in contributors and then integrate:

$$
\begin{equation*}
A(r)=\exp \left[\int_{0}^{r}\left(a_{g}+a_{c}+a_{p}\right) d s\right] \tag{11}
\end{equation*}
$$

where $a_{g}, a_{c}$, and $a_{p}$ denote the specific attenuation by gases, clouds and precipitation respectively and $r$ is the radar range to the target. To estimate the gas component of (11) the widely used data base HITRAN (high resolution transmission) allows a technique called line by line [12]. In turn, for the absorption by clouds droplets $a_{c}$ the liquid water concentration as well as temperature and frequency must be taken into account. Finally, for the precipitation particles specific attenuation, $a_{p}$, the size distribution is of paramount importance.

## E. Radar and Disdrometer Data

The area of interest was covered by a C-band radar located at Oro Verde, province of Entre Rios, Argentina (31.8484S, 60.53723 W ). It is a polarimetric radar working at $\nu=5.65 \mathrm{GHz}$ with $1^{\circ}$ at 3 dB beamwidth and a peak power of 250 KW made by AMS - Gematronik GmbH. The radar data were gathered in the form of PPIs scans with a range of 240 km and a gate length of 500 m , giving 480 gates per beam and 360 beams per scan.

The elevation angles were $0.5,1.3,2.3,3.5,5.0,6.9,9.1,11.8$, 15.1 , and $19.2^{\circ}$ respectively.

The laser disdrometer data comes from a Thies instrument located in the city of Diamante in the same province. It can classify hydrometeor sizes in 22 categories from 0.16 to 8 mm and 20 distinct velocities from 0.2 to $20 \mathrm{~m} / \mathrm{s}$.

## III. Data Modeling

## A. Reflectivity Factor and Precipitation

In this section, the DSD parameters of a gamma distribution ( $\mu, \Lambda, N_{0}$ ) are estimated and the reflectivity factor $Z_{h}$, the precipitation rate $R$, and the specific attenuation $a$ are calculated from the gamma according to (9), (10), and (11). Once temperature and frequency are fixed $\left|f_{h}\left(D, \epsilon_{r}\right)\right|^{2}$ (see Section III-C) calculated from (5) has a smooth dependence on $D$ allowing a polynomial fit such as $\left|f_{h}\right|^{2}=\sum a_{j} D^{j}$. The degree of the polynomial will depend on the desired accuracy. In particular, polynomials of third or fourth degree were considered satisfactory in the range of tropospheric temperatures with residuals up to $10^{-3}$. Introducing the polynomial into (9) and (10) and integrating, $Z_{h}$ and $R$ can be written as

$$
\begin{align*}
Z_{h} & =N_{0} \sum_{j=0}^{3} a_{j} \frac{\gamma\left(\mu+j+7, \Lambda D_{\max }\right)}{\Lambda^{\mu+j+7}}  \tag{12}\\
R & =6 \pi \times 10^{-4} N_{0} 3.778 \frac{\gamma\left(\mu+4.67, \Lambda D_{\max }\right)}{\Lambda^{\mu+4.67}} \tag{13}
\end{align*}
$$

where $\gamma$ is the incomplete gamma function.

## B. Specific Attenuation

1) Atmospheric Attenuation: In order to calculate the absorption contribution by gases, the line by line technique mentioned above is used with pressure and temperature and gases concentrations along the whole path as input parameters. These parameters vary with height which is important since the radar beam crosses different atmospheric layers. For calculation purposes the atmosphere was divided in $N_{L}=20$ layers of equal radial thickness up to 12 km with an air composition of $21 \%$ $\mathrm{O}_{2}, 78 \% \mathrm{~N}_{2}, 0.0365 \% \mathrm{CO}_{2}$, and a variable quantity of water vapor. Fig. 1 shows the procedure to obtain the absorption coefficients by the considered gases. The input data consists of $N_{L}$, the radar height $\left(H_{R}\right)$, the elevation angle $\left(\theta_{e}\right)$, and the surface temperature $\left(T_{G}\right)$. With this information the model calculates the temperature, pressure, and refraction index [13] for each of the $N_{L}$ layers. From this, the path length in each layer $l_{j}$ is calculated as seen in the appendix.

As long as the sum of segments is less than 240 km the algorithm performs the calculation of the main absorption coefficients, i.e., water vapor and oxygen, $a_{v}^{a}$ and $a_{O}^{a}$, neglecting the other gases since their absorptions are too small at C-band frequencies (see Fig. 1).
2) Cloud Attenuation: Clouds contain droplets with size distributions variable according to the kind of cloud and to which part of a cloud is observed [14]. However, it is safe to take as mean diameter $D_{m}=15 \mu \mathrm{~m}$ for a range of clouds. As


Fig. 1. Flow diagram of the algorithm used to calculate the main absorption coefficients $a_{v}^{a}$ and $a_{O}^{a}$ with a maximum range of 240 km .
mentioned above, the scattering of a particle is highly dependent on its size, so the attenuation by these small droplets is mainly by absorption. The process involves the complex relative dielectric constant $\epsilon_{r}$ and the absorbing mass, which depends on the liquid water concentration. The absorption cross section of a single droplet $\left(\sigma_{c}^{a}\right)$ is given by

$$
\begin{equation*}
\sigma_{c}^{a}=3 \pi^{2} \frac{D^{3}}{\lambda} \frac{\epsilon_{r I}}{\left(\epsilon_{r R}+2\right)^{2}+\epsilon_{r I}^{2}} \tag{14}
\end{equation*}
$$

where $\epsilon_{r I}, \epsilon_{r R}$ are both the imaginary and the real parts of the dielectric constant of water respectively. Following the suggestion by Pruppacher et al. [14] to calculate the specific absorption, the cross section (14) must be multiplied by the size distribution $N(D) d D=N_{0} / D_{m} \exp \left(-D / D_{m}\right) d D$ and integrated over sizes. $N_{0}$ and $D_{m}$ are the total number of droplets per unit volume and mean diameter respectively. The resulting absorption coefficient $a_{c}$ will be given by

$$
\begin{equation*}
a_{c}=3 \pi^{2} N_{0} 3!D_{m}^{3} 1000 \frac{\epsilon_{r I}}{\lambda\left(\left(\epsilon_{r R}+2\right)^{2}+\epsilon_{r I}^{2}\right)} \tag{15}
\end{equation*}
$$

in $1 / \mathrm{km}$. The cloud absorption $a_{c}$ depends on $\epsilon_{r}$ a function of $\lambda$ (fixed by the radar) and temperature which in turn takes a different value for each layer.
3) Attenuation by Precipitation: The most important absorber in a cloud is precipitation. These particles are in the millimeter range of sizes, growing at expense of the small droplets until they reach a diameter where they become unstable and break up. This diameter is about $D_{\max } \approx 7 \mathrm{~mm}$ [14]. A gamma distribution of sizes [15] will be used for the calculation, but it is important to remember that since drops deform there will be a different attenuation for horizontal and vertical polarization. There will also be both absorption and scattering attenuation associated with rain.

On one hand, according to [16], the horizontal ( $\sigma_{h, p}^{a}$ ) and vertical ( $\sigma_{v, p}^{a}$ ) absorption cross sections can be expressed as

$$
\begin{equation*}
\binom{\sigma_{h, p}^{a}}{\sigma_{v, p}^{a}}=\frac{\pi k_{0}}{6} D^{3}\binom{g_{h}\left(D, \epsilon_{r}\right)}{g_{v}\left(D, \epsilon_{r}\right)} \tag{16}
\end{equation*}
$$

where,

$$
\begin{equation*}
\binom{g_{h}\left(D, \epsilon_{r}\right)}{g_{v}\left(D, \epsilon_{r}\right)}=\frac{\epsilon_{r I}}{\left[1+\binom{\xi^{\prime}}{\xi}\left(\epsilon_{r R}-1\right)\right]^{2}+\binom{\xi^{\prime}}{\xi}^{2} \epsilon_{r I}^{2}} \tag{17}
\end{equation*}
$$

$k_{0}=2 \pi / \lambda$ is the free space wave number and $\xi, \xi^{\prime}$ are the depolarization factors defined in (5) and (6).

On the other hand, precipitation attenuation cross sections by scattering for horizontal and vertical polarization ( $\sigma_{h, p}^{s}$ ) and $\left(\sigma_{v, p}^{s}\right)$ respectively are obtained from the backscattering expressions (3) and (4) as

$$
\begin{equation*}
\binom{\sigma_{h, p}^{s}}{\sigma_{v, p}^{s}}=\frac{2}{3}\binom{\sigma_{B}^{h}}{\sigma_{B}^{v}} . \tag{18}
\end{equation*}
$$

Integrating, the attenuation by absorption and scattering the coefficients are obtained

$$
\begin{align*}
& \binom{a_{H, p}^{a}}{a_{V, p}^{a}}=N_{0} \frac{\pi k_{0}}{6} \int_{0}^{D_{m}} D^{\mu+3} e^{-\Lambda D}\binom{g_{h}\left(D, \epsilon_{r}\right)}{g_{v}\left(D, \epsilon_{r}\right)} d D .  \tag{19}\\
& \binom{a_{H, p}^{s}}{a_{V, p}^{s}}=\frac{2}{3} \frac{\pi^{5}}{\lambda^{4}} N_{0} \int_{0}^{D_{m}} D^{\mu+6} e^{-\Lambda D}\binom{\left|f_{h}\left(D, \epsilon_{r}\right)\right|^{2}}{\left|f_{v}\left(D, \epsilon_{r}\right)\right|^{2}} d D . \tag{20}
\end{align*}
$$

It is observed that functions $f_{h}, f_{v}, g_{h}$, and $g_{v}$ are amenable to polynomial fitting, as follows:

$$
\begin{align*}
& \binom{a_{H, p}^{s}}{a_{V, p}^{s}}=\frac{2}{3} \frac{\pi^{5}}{\lambda^{4}} N_{0} \sum_{j=0}^{4}\binom{a_{j}}{b_{j}}\binom{\frac{\gamma\left(\mu+k+6, \Lambda D_{m}\right)}{\Lambda^{\mu+j+6}}}{\frac{\gamma\left(\mu+j+7, \Lambda D_{m}\right)}{\Lambda^{\mu+j+7}}}  \tag{21}\\
& \binom{a_{H, p}^{a}}{a_{V, p}^{a}}=N_{0} \frac{\pi k_{0}}{6} \sum_{j=0}^{4}\binom{c_{j}}{d_{j}}\binom{\frac{\gamma\left(\mu+j+2, \Lambda D_{m}\right)}{\Lambda^{\mu+j+2}}}{\frac{\gamma\left(\mu+j+4, \Lambda D_{m}\right)}{\Lambda^{\mu+j+4}}} \tag{22}
\end{align*}
$$

where $a_{j}, b_{j}, c_{j}$, and $d_{j}$ are the coefficients of the polynomial approximation in $D$, the spherical equivalent diameter.

## C. Attenuation Correction Algorithm for Rain (ACAR)

Clearly, the parameters of the DSD gamma distribution are essential for the determination of attenuation as well as rainfall estimation [16]. To explain the procedure, a flow diagram is presented in Fig. 2. The input parameters: $N_{L}$, the height of the radar above the ground, $H_{R}$, the scan elevation angle, $\theta_{e}$, the surface temperature, $T_{G}$ and the reflectivity factor are entered in the first stage.

After entering the initial variables two subroutines are run: Data_radar and Cor_Atm. The former reads the .vol files and structures them as arrays of 480 gates in range by $360^{\circ}$ in azimuth. The latter subroutine calculates $l_{j}$ (see Appendix) and $T_{j}$ for each layer and provides the absorption coefficients for Cor_Attenuation.

The arrays are then fed to the gate_assignment procedure, which determines the distribution of the 480 gates ray by ray along the atmospheric layers. This routine provides another essential parameter: the temperature $T_{k}$. Next, the subroutine


Fig. 2. Flow diagram for the ACAR algorithm.
fun_aprox uses temperature $T_{k}$ and frequency $\nu=5.65 \mathrm{GHz}$ to approximate function $f_{h}$ in the interval $0.1 \leq D \leq 7$ millimeters, according to (5). In the same stage the dielectric constant distribution is obtained from [17], to calculate the coefficients $b_{k}$ necessary to the procedure retrieval_DSD. From these relations and using (12), a function $Z_{h}=Z_{h}(\Lambda)$ can be written. Next the algorithm uses the reflectivity factor array $Z_{h}$ obtained from Data_radar and inverts the relation $Z_{h}(\Lambda)$. Consequently, for each reflectivity factor there is a corresponding $\Lambda$ and with (24) and (25), it is possible to retrieve the rest of the DSD parameters: $\left(\Lambda, \mu, N_{0}\right)$.

These parameters are input to Cor_Attenuation which corrects for attenuation $Z_{h}$ using (21)-(22). The corrected reflectivity is used in retrieval_DSD to obtain the corrected DSD parameters $\left(\Lambda^{\prime}, \mu^{\prime}, N_{0}^{\prime}\right)$. Finally, (13) gives the precipitation rate.

## IV. Correction Algorithm

In (11), the contributions from gases, cloud, and precipitation are added in the exponent to calculate the attenuation. Since the radar data have been corrected by the $1 / r^{2}$, the present algorithm only needs to correct for attenuation, beam by beam, in polar spherical coordinates. Let's call $Q(r)$ the energy flux in the beam which varies along the range due to attenuation. In discrete form, let's call $Q_{j}$ the value at gate $j$, and if there is absorbing material between gates $j$ and $j+1, Q_{j+1}$ (and at the successive gates) will be given by:

$$
Q_{j+n}=Q_{j+(n-1)} \exp \left(-2 \sum A_{j+(n-1)}(\Delta r)\right)
$$

where $A_{j}$ is the total attenuation correction factor at gate $j$ and $\Delta r=\left(r_{j+n}-r_{j+(n-1)}\right)$ is the length of the gate (in our case $\Delta r=0.5 \mathrm{~km})$. The factor of 2 takes into account the fact that the radiation is attenuated both ways. Another way to put the
energy flow at any gate is

$$
\begin{equation*}
Q_{j}=Q_{1} \prod_{i=1}^{j-1} \exp \left(-2 \sum A_{i} \Delta r\right) \tag{23}
\end{equation*}
$$

In the next section, we will present ACAR, an algorithm for attenuation correction that takes into account only liquid hydrometeors at this stage. This is the reason why it will be used for regions of the cloud with $Z_{h} \leq 55 \mathrm{dBZ}$ considering that above this figure, hail is quite likely to occur. Since ice absorption is several orders of magnitude lower than water absorption, only precipitation absorption is given a threshold. In contrast, expression (18), guarantees that given the existence of backscatter there will be attenuation irrespective of the material.

## A. Precipitation Estimation Methods

The end product of interest is precipitation which is calculated after the attenuation correction by means of (13) and two algorithms by [5] using a Marshall \& Palmer like equation $R(Z)=0.017 \times 10^{0.071 Z}$ and a $R$-KDP relation given by $R\left(K_{\mathrm{DP}}\right)=40.5\left|K_{\mathrm{DP}}\right|^{0.85}$. In these expressions $R$ is in $\mathrm{mm} / \mathrm{hr}$, $Z$ in dBZ, and $K_{\mathrm{DP}}$ in degrees per kilometer. The attenuation correction is applied only to the reflectivity factor.

## V. Results

Two models of attenuation, appropriate for C-band radars, are used in this work. The first (ACAR), developed in [16] and the second developed in [5] using polarimetric variables. Two volumes from the Oro Verde (INTA Parana) radar of a storm occurred on 18th of November 2009 at 03:50:03 A.M. and at 06:20:02 A.M. UTC were analyzed. For convenience only the lowest elevation was considered $\left(\theta_{e}=0.5^{\circ}\right)$. Fig. 3 shows both storms.

Before applying any attenuation correction a number of checks had to be made to ensure the data quality. As any polarimetric radar, the INTA Parana can suffer from a series of typical problems, such as mismatched H and V channels. First, a relatively constant phase difference between the two channels of about $140^{\circ}$ could be appreciated in the image over a large area. The most logical explanation was a phase mismatch between channels. Also, there was a mismatch in gain between both channels giving an offset of 1 dB approximately. Both anomalies were addressed by an algorithm implemented in Python within the PY/ART library based on the work by [18]. After being corrected, ZDR was useful in the identification of hydrometeors. Another important aspect to take into account when comparing radar data with ground data is that the meteorological stations must be made to coincide with a given gate within a radar beam. However, a 1 km shift in the radar position was found between the position reported by the radar itself (in the .vol file) and the actual position of the radar. More specifically the .vol files reported $31.858334 \mathrm{~S}, 60.539722 \mathrm{~W}$, but the true location was found to be $31.848485 \mathrm{~S}, 60.537233 \mathrm{~W}$. Consequently, the stations were inaccurately positioned from the radar.

The calculations of attenuation by the ACAR algorithm and the algorithm in [5] are applied next.


Fig. 3. Storms, in the vicinity of Oro Verde, Entre Ríos Province, used in the analysis. Top panel, PPI at $0.5 t=03: 50$ A.M. UTC and bottom panel, PPI at $0.5 t=06: 20$ A.m. UTC. (a) Storm 03:50:03 UTC. (b) Storm 06:20:02 UTC.

## A. Attenuation Algorithm ACAR

ACAR algorithm in [16] takes into account the three attenuation processes. The initial values entered are: $N_{L}=20$, $\theta_{e}=0.5^{\circ}$ and $T_{G}=23^{\circ} \mathrm{C}$.

1) Atmospheric Attenuation: Fig. 4 shows the frequency dependence of the absorption by $\mathrm{O}_{2}$ and by water vapor at two temperatures $0^{\circ} \mathrm{C}$ and $20^{\circ} \mathrm{C}$. In our case, the absorption is calculated at $\nu \approx 5.65 \mathrm{GHz}$ taking into consideration the concentration of these two gases. Clearly, at this frequency, the oxygen is the dominant factor with $a_{O}^{a}=6.8 \times 10^{-3} 1 / \mathrm{km}$.
2) Cloud Attenuation: The cloud attenuation calculation is carried out using (15) with $N_{0}$ calculated by expressing the liquid water concentration in a progression from the lower to the higher reflectivities and keeping the mean diameter fixed at $D_{m}=15 \mu \mathrm{~m}$ on the whole radar range but under the condition $Z_{h}^{\text {INTA }}>1 \mathrm{dBZ}$ so as to make sure the existence of cloud material. Fig. 5 shows how the correction factor for the storm


Fig. 4. Absorption coefficients of oxygen $a_{o}^{a}$ and water vapor $a_{v}^{a}$ in red and blue, respectively, for $T=0^{\circ} \mathrm{C}$ and $20^{\circ} \mathrm{C}$.


Fig. 5. Coefficient $a_{c}$ for three azimuths.
at 03:50 A.M. follows the variations in $N_{0}$. Three azimuths are shown in Fig. 5 to verify the correct behavior of the algorithm. As seen in this figure, the attenuation is under $10^{-3} 1 / \mathrm{km}$.
3) DSD Retrieval From Disdrometer: The ACAR algorithm needs the gamma DSD parameters $\left(\mu, \Lambda, N_{0}\right)$ and their mutual relationships [19]. The disdrometer at Diamante City provides the data to build the DSDs and from which the parameters and their relations are extracted (see, [20]). Fig. 6 shows how these parameters depend on each other:

$$
\begin{align*}
\mu & =-0.02979 \Lambda^{2}+1.242 \Lambda-1.374  \tag{24}\\
N_{0} & =\exp \left(0.035 \mu^{2}+0.54 \mu+7.13\right) \tag{25}
\end{align*}
$$

4) Results of Attenuation by Precipitation: Once the relations (24) and (25) are obtained, they are replaced in (22) and (21) to get the coefficients needed in (23). Fig. 7 shows the coefficient for the storm at 03:50 A.M. in the direction of azimuth $201^{\circ}$. The upper part shows the contributions by absorption (blue) and scattering (red) to the attenuation of a horizontal po-


Fig. 6. Relationships between pairs of DSD parameters obtained from disdrometer during November 18th, 2009.


Fig. 7. Attenuation factor for horizontal polarization absorption $a_{H, p}^{a}$ and scattering $a_{H, p}^{s}$ for the beam at $\phi=145^{\circ}$ azimuth calculated using ACAR for the storm at 03:50 A.M.
larized beam. Bottom panels show that at certain ranges, where the upper limit in $Z_{h}$ has been reached, absorption is put to zero while the scattering is still active, as has been explained at the end of Section IV. Clearly, the dominant factor in attenuation is absorption, which is dependent on the concentration of liquid water and drop size while scattering depends strongly on size. Fig. 8 corresponding to the storm at 06:20 A.M. supports this


Fig. 8. Attenuation factor for horizontal polarization absorption $a_{H, p}^{a}$ and scattering $a_{H, p}^{s}$ for azimuth $\phi=126^{\circ}$ obtained from ACAR at 06:20 A.M.
observation. Actually, in both figures Figs. 7 and 8, the absorption attenuation is larger than scattering attenuation of a polarized wave.

Finally, it is necessary to apply the just calculated attenuation correction factor.
5) Comparison of ACAR With Gu et al. algorithm: To give an independent assessment of ACAR performance, another known algorithm from the literature [5] was used. Fig. 9(a) for the storm at 03:50 A.M. shows this comparison for three azimuths with various reflectivity intensities. In the top plot (Az. $45^{\circ}$ ) with low reflectivity, both correction factors are negligible. The middle plot for $\mathrm{Az} .225^{\circ}$ shows that the uncorrected reflectivity at 240 km range is 24.5 dBZ and the $Z_{h}$ corrected by Gu et al. [5] is 32.51 dBZ and by Poffo [16] is 28.26 dBZ . Similarly, the lower plot for Az. $345^{\circ}$ at a range of 90 km , the uncorrected value is $Z_{h}=41.5 \mathrm{dBZ}$ and corrected values are 45.61 dBZ and 45.48 dBZ for [5] and [16], respectively.

Similar comparisons are made for the storm at 06:20 A.M. and shown in Fig. 9(b). There are some differences to be noted. In the middle plot (Az. $114^{\circ}$ ) the correction begins around 100 km , although it is more important beyond the echo of about 50 dBZ , and both models give similar values but with [16] the correction increases. This fact contrasts with the middle plot on Fig. 9(a). Nevertheless, the latter shows echoes above 55 dBZ for which ACAR does not apply the contribution of precipitation absorption to the attenuation. This effect is also noticed at the bottom of Fig. 9(a) after crossing 55 dBZ . In general, as long as echoes do not go over 55 dBZ , ACAR produces a larger attenuation correction. Fig. 10 shows the effect of the corrections on the images. Top panels represent the original images for both storms. The middle panel shows the image corrected by ACAR and in the lower two panels the corrections by Gu et al. [5]. In the latter, note a missing area at about ( $50 \mathrm{~km}, 50 \mathrm{~km}$ ) due to the low $\rho_{\mathrm{hv}}$ which is considered noise by [5]. In order to show where one correction prevails over the other, image subtraction are presented in Fig. 11 The lower panel shows the difference before-after the ACAR correction. The difference is calculated in $\mathrm{mm}^{6} / \mathrm{m}^{3}$ and then converted to dBZ . The correspondence between large correction magnitudes and reflectivity factor in Fig. 3 can be noticed. This difference should be contrasted with that illustrated in Fig. 8, which is quite smaller because it corresponds to the ratio of two magnitudes close to each other in value. In the upper panel of


Fig. 9. Reflectivity factor along a ray for three azimuths: Uncorrected (black), ACAR (red) and [5] (blue) Corrected. (a) Storm 03:50:03 UTC. (b) Storm 06:20:02 UTC.

Fig. 11, the difference in $\mathrm{mm}^{6} / \mathrm{m}^{3}$ between the image corrected by ACAR, and that corrected by Gu et al. [5] is calculated using the following procedure. First, the differences smaller than $1 \mathrm{~mm}^{6} / \mathrm{m}^{3}$ are filtered out. Next the dBZ of the absolute value of the difference is calculated and multiplied by the sign function of the difference. Therefore, the positive values represent zones where ACAR dominates and viceversa. It is clear that


Fig. 10. Two analyzed storms. Left at 03:50 hrs and right at 06:20 hrs. Top pair of panels, uncorrected images. Middle, the ACAR correction and bottom pair, the correction by Gu et al. [5].

ACAR corrects over [5] in most part of the scan. However, there is a region over the NNE sector in which the converse occurs probably due to the presence of hail, as explained above. The only way to find out which attenuation correction is more adequate is to evaluate the precipitation after applying the correction, and then compare the predicted rainfall with rain gauges on the ground. For this purpose, four stations with rain gauges (one with disdrometer) were used. The location of the stations relative to the radar can be seen in Fig. 12. Their position in geographical coordinates are: Parana (31.728180S, 60.528058W), Diamante (32.066667S, 60.65W), Villa Urquiza (31.652777S, 60.368611 W ), and Villaguay (31.8575S, 59.09722 W ). Table I shows azimuth and range from the radar of each station together with the radar gate above the rain gauge and the time the radar beam passes over the station. All these stations are automatic and record every 10 or 30 min . Once this data are averaged in time they are compared with the storms at 03:50 A.M. and 06:20 A.M. The top row of Fig. 13, shows comparisons for the storm at 03:50 A.M. and on the bottom row comparisons for the storm at 06:20 A.M. Each group of bars represents a station location and the leftmost bar of the group is the rain gauge or disdrometer measurement (seen in Table I), and the other bars are the results of the estimation algorithms. Next to the right is the estimation by ACAR (10) and by Gu et al. [5]. The other methods explained at the beginning of Section IV-A are also


Fig. 11. Correction amount for ACAR (lower panel) and difference between corrections by ACAR and [5] (upper panel). The differences are performed in linear scale and then converted to dBZ .


Fig. 12. Ground stations with rain gauges used to compare with the precipitation estimation.

TABLE I
Rain Gauge Data

| Stations rain gauge | Range (m) | Gate | Azimuth $\left({ }^{\circ}\right)$ | Beam time of arrival (s) |
| :--- | :---: | :---: | :---: | :---: |
| Parana | 13250 | 26 | 4 | 3.38 |
| Diamante | 26750 | 53 | 204 | 14.5 |
| Villa Urquiza | 27250 | 54 | 36 | 5.165 |
| Villaguay | 136250 | 272 | 91 | 8 |

used for comparison: $R_{Z-\mathrm{ACAR}}, R_{\mathrm{KDP}}$ and are represented by the last two bars. In general, all algorithms tend to overestimate the rain rate and the present model (denoted by $R_{\mathrm{ACAR}}$ in the graph) behaves better than others specially for Diamante. There are a couple of extreme cases to note: panels (c) and (d). The former with essentially zero measured precipitation and all


Fig. 13. Comparison between rain gauges and precipitation estimation from data corrected for attenuation. From left to right: measured, $R$ from $A C A R, R$ from [5], $R$ from M-P using ACAR and $R_{\mathrm{KDP}}$.
algorithms predicting light rain, and the latter where the rain gauge measured a sizable rain and all algorithms predicted almost no precipitation. About this last case, there are a couple of arguments to take into consideration. First, there were scatter showers in the area of Villaguay. Second, the distance (136 km) is far enough to observe higher in the cloud and taking the wind into account the coincidence echo-rain gauge could be lost. In fact, neighboring gates have larger reflectivities which support this hypothesis. Another aspect to consider is the larger resolution volume at long range that may contribute to the underestimation in the Villaguay case at 03:50 A.M. The opposite occurs at 06:20 A.M. At that location the beam is almost filled up but the rain gauge is in a lower intensity point (see bottom panel of Fig. 3 and all the algorithms apparently overestimate.

## VI. CONCLUSION

The algorithm ACAR was presented and used to correct radar data for attenuation. It uses both, effects of atmospheric gases as well as those of microphysical parameters. By means of this model, oxygen was confirmed as the most absorbing gas at $\nu=$ 5.65 GHz with an attenuation of around $a_{O}^{a}=6.8 \times 10^{-3} 1 / \mathrm{km}$ and the cloud droplets attenuation was calculated as relatively weak, with factors of less than $10^{-3} 1 / \mathrm{km}$.

As far as precipitation attenuation is concerned, to write (22) and (21) the DSD must be known. The disdrometer in Diamante station provided the data to obtain the DSD and the relations $\Lambda-\mu$ and $N_{0}-\mu$ at that location. Interestingly, these
relations were very similar to those of [9]. However, there is a different independent term in the relation $N_{0}-\mu$ when fitted by a polynomial. This has important consequences because the independent term gives rise to the initial number concentration of raindrops. As mentioned above when the $Z_{h}$ goes over 55 dBZ absorption in ACAR model is put to zero because of the probable existence of ice, as hail, which has very low absorption. Scattering continues to operate even in this situation, see Fig. 7. A possible complication arises when hail begins to melt as it falls and has a layer of liquid water on top. This would enhance both absorption and scattering. It is not surprising that the comparison of ACAR with [5] and attenuation models implemented in the CSU-PY-ART library were good as long as $Z_{h}<55 \mathrm{dBZ}$ and above this value, corrections are different. Undoubtedly, a better characterization of the nature of the hydrometeors in the ACAR model will be of great help.

Unfortunately, the use of ground data from four stations were inconclusive to determine which correction model was the best. This results shows that instantaneous comparisons are not reliable. In conclusion, the statistical nature of the precipitation process shows that longer averages will be necessary to throw light into this matter.

## APPENDIX A <br> Radar Beam Path in a Layered Atmosphere

For an atmosphere with discrete layers Snell's law can be applied at each interface. Fig. A. 1 shows the beam trajectory


Fig. A.1. Geometry for the beam propagation in a layered atmosphere used in ACAR model.
geometry and the triangles on which trigonometric relations can be applied.

In order to calculate the segment $l_{1}$, the cosine theorem is applied on the first triangle

$$
\begin{equation*}
(R+\Delta z)^{2}=l_{1}^{2}+R^{2}-2 l_{1} R \cos \left(90+\theta_{e}\right) \tag{A.1}
\end{equation*}
$$

where $R=\left(R_{T}+H_{R}\right)$ is the Earth radius plus the radar height, $\Delta z$ is the thickness of the layers (taken uniform) and $\theta_{e}$ is the radar elevation angle.

Solving the quadratic equation for $l_{1}$, taking the positive sign for the square root and rearranging terms yields:

$$
\begin{equation*}
l_{1}=-R \sin \left(\theta_{e}\right)+\left(\left(R \sin \left(\theta_{e}\right)\right)^{2}+\Delta z(2 R-\Delta z)\right)^{1 / 2} \tag{A.2}
\end{equation*}
$$

For the next segment it is necessary to calculate $\varphi$. The sin theorem gives

$$
\begin{equation*}
\sin \left(\gamma_{1}\right)=\cos \left(\theta_{e}\right) \frac{R}{R+\Delta z} \tag{A.3}
\end{equation*}
$$

Now, applying Snell's law relating $\gamma_{1}$ and $\gamma_{2}$ and since $\varphi=$ $\pi / 2-\gamma_{2}$

$$
\begin{equation*}
\varphi=\arccos \left(\frac{n_{1} R \cos \left(\theta_{e}\right)}{n_{2}(R+\Delta z)}\right) \tag{A.4}
\end{equation*}
$$

Applying the same procedure used for $l_{1}$ to $l_{2}$

$$
\begin{align*}
l_{2}= & -(R+\Delta z) \sin (\varphi)+((R+\Delta z) \sin (\varphi))^{2} \\
& +\Delta z(2 R+\Delta z))^{1 / 2} \tag{A.5}
\end{align*}
$$

The successive application of the procedure leads to the general expression for the $j$-layer $(j>1)$ :

$$
\begin{align*}
l_{j}= & -(R+(j-1) \Delta z) \alpha_{j}+\left((R+(j-1) \Delta z)^{2} \alpha_{j}^{2}\right. \\
& +\Delta z(2 R+(2 j-3) \Delta z))^{1 / 2} \tag{A.6}
\end{align*}
$$

where

$$
\begin{equation*}
\alpha_{j}=\sin \left[\arccos \left(\frac{R n_{1} \cos \left(\theta_{e}\right)}{(R+(j-1) \Delta z) n_{j}}\right)\right] . \tag{A.7}
\end{equation*}
$$

Here $n_{j}$ denotes the refraction index of the $j$-layer. The refraction index depends on temperature $T_{j}$ in each layer, which is calculated using the standard atmosphere lapse rate $(6.5 \mathrm{~K} / \mathrm{km})$.

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## References

[1] J. S. Marshall and W. M. K. Palmer, "The distribution of raindrops with size," J. Meteorology, vol. 5, no. 4, pp. 165-166, 1948.
[2] C. W. Ulbrich and D. Atlas, "Rainfall microphysics and radar properties: Analysis methods for drop size spectra," J. Appl. Meteorology, vol. 37, no. 9, pp. 912-923, 1998.
[3] V. Bringi and V. Chandrasekar, Polarimetric Doppler Weather Radar: Principles and Applications. Cambridge, U.K.: Cambridge Univ. Press, 2001.
[4] A. V. Ryzhkov, S. E. Giangrande, and T. J. Schuur, "Rainfall estimation with a polarimetric prototype of wsr-88d," J. Appl. Meteorology, vol. 44, no. 4, pp. 502-515, 2005.
[5] J.-Y. Gu et al., "Polarimetric attenuation correction in heavy rain at c band," J. Appl. Meteorology Climatology, vol. 50, no. 1, pp. 39-58, 2011.
[6] A. Green, "An approximation for the shapes of large raindrops," J. Appl. Meteorology, vol. 14, no. 8, pp. 1578-1583, 1975.
[7] K. V. Beard and C. Chuang, "A new model for the equilibrium shape of raindrops," J. Atmospheric Scie., vol. 44, no. 11, pp. 1509-1524, 1987.
[8] R. J. Hogan, L. Tian, P. R. Brown, C. D. Westbrook, A. J. Heymsfield, and J. D. Eastment, "Radar scattering from ice aggregates using the horizontally aligned oblate spheroid approximation," J. Appl. Meteorology Climatology, vol. 51, no. 3, pp. 655-671, 2012.
[9] G. Zhang, J. Vivekanandan, and E. Brandes, "A method for estimating rain rate and drop size distribution from polarimetric radar measurements," IEEE Trans. Geosci. Remote Sens., vol. 39, no. 4, pp. 830-841, Apr. 2001.
[10] J. P. Burrows, U. Platt, and P. Borrell, Tropospheric Remote Sensing From Space. New York, NY, USA: Springer, 2011.
[11] A. Papatsoris and P. Watson, "Calculation of absorption and dispersion spectra of atmospheric gases: At millimetre-wavelengths," IEE Proc. Microw., Antennas Propag. H, vol. 140, no. 6, pp. 461-468, Dec. 1993.
[12] L. Rothman et al., "The hitran2012 molecular spectroscopic database," J. Quantitative Spectroscopy Radiative Transfer, vol. 130, pp. 4-50, 2013.
[13] R. J. Doviak and D. S. Zrnic, Doppler Radar \& Weather Observations. New York, NY, USA: Academic, 2014.
[14] H. R. Pruppacher, J. D. Klett, and P. K. Wang, "Microphysics of clouds and precipitation," 1998.
[15] C. W. Ulbrich, "Natural variations in the analytical form of the raindrop size distribution," J. Climate Appl. Meteorology, vol. 22, no. 10, pp. 17641775, 1983.
[16] D. A. Poffo, "Influencia del medio atmosférico en la atenuación del haz de radar," Tesis de Especialización," Facultad de Matemática, Astronomía y Física (UNC), 2014. [Online]. Available: http:// www.famaf.unc.edu.ar/wp-content/uploads/2014/04/Trabajo-final-deespe cialización-Poffo-.pdf.
[17] T. Meissner and F. J. Wentz, "The complex dielectric constant of pure and sea water from microwave satellite observations," IEEE Trans. Geosci.Remote Sens., vol. 42, no. 9, pp. 1836-1849, 2004.
[18] S. E. Giangrande, R. McGraw, and L. Lei, "An application of linear programming to polarimetric radar differential phase processing," J. Atmospheric Oceanic Technol., vol. 30, no. 8, pp. 1716-1729, 2013.
[19] M. Schleiss and J. Smith, "A method to estimate the 3d-time structure of the raindrop size distribution using radar and disdrometer data*," $J$. Hydrometeorology, vol. 16, no. 3, pp. 1222-1242, 2015.
[20] L. S. Kumar, Y. H. Lee, and J. T. Ong, "Shape slope parameter distribution modelling of electromagnetic scattering by rain drops," Prog. Electromagn. Res. B, vol. 25, pp. 191-209, 2010.


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