# Dispersive liquid-liquid microextraction of quinolones in porcine blood: validation of a CE method using univariate calibration or multivariate curve resolution-alternating least squares for overlapped peaks 

Carla M. Teglia ${ }^{1,3}$, María S. Cámara ${ }^{1}$, Luciana Vera-Candioti ${ }^{2,3^{*}}$.
${ }^{1}$ Laboratorio de Desarrollo Analítico y Quimiometría (LADAQ), Cátedra de Química Analítica I, Facultad de Bioquímica y Ciencias Biológicas, Universidad Nacional del Litoral, Ciudad Universitaria, 3000, Santa Fe, Argentina.
${ }^{2}$ Departamento de Ciencias Biológicas, Cátedra de Bromatología y Nutrición, Facultad de Bioquímica y Ciencias Biológicas, Universidad Nacional del Litoral, Ciudad Universitaria, 3000, Santa Fe, Argentina.
${ }^{3}$ Consejo Nacional de Investigaciones Científicas y Técnicas (CONICET), Godoy Cruz 2290 CP C1425FQB, Buenos Aires, Argentina.

Correspondence: Dra. Luciana Vera-Candioti, Departamento de Ciencias Biológicas, Cátedra de Bromatología y Nutrición, Facultad de Bioquímica y Ciencias Biológicas, Universidad Nacional del Litoral, Ciudad Universitaria, Santa Fe (S3000ZAA), Argentina.

E-mail: luveca@fbcb.unl.edu.ar

Abbreviations: MCR-ALS, multivariate curve resolution-alternating leasts squares; PDADMAC, poly(diallyldimethylammonium chloride); FQs, fluoroquinolones; DLLME,

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#### Abstract

In the previously published part of this study, we detailed a novel strategy based on dispersive liquid-liquid microextraction to extract and preconcentrate nine fluoroquinolones in porcine blood. Moreover, we presented the optimized experimental conditions to obtain complete CE separation between target analytes. Consequently, this second part reports the validation of the developed method to determine flumenique, difloxacin, enrofloxacin, marbofloxacin, ofloxacin, ciprofloxacin, through univariate calibration, and enoxacin, danofloxacin, and gatifloxacin through multivariate curve resolution analysis.

The validation was performed according to FDA guidelines for bioanalytical assay procedures and the European Directive 2002/657 to demonstrate that the results are reliable. The method was applied to the determination of FQs in real samples. Results indicated a high selectivity and excellent precision characteristics, with RSD less than $11.9 \%$ in the concentrations, in intra and inter-assay precision studies. Linearity was proved for a range from $4.00-30.00 \mathrm{mg} \mathrm{L}^{-1}$ and the recovery, has been investigating did at four different fortification levels, varied from $89 \%$ to $113 \%$. Several approaches found in the literature were used to determinate the LODs and LOQs. Though all strategies used were appropriate, we obtained different values when using different methods. Estimating the $\mathrm{S} / \mathrm{N}$ ratio with the mean noise level in the migration time of each FQs, turned out as the best studied method for evaluating the LODs and LOQs, and the values were in a range of 1.55 to $4.55 \mathrm{mg}^{-1}$ and 5.17 to $9.62 \mathrm{mg} \mathrm{L}^{-1}$, respectively.


## 1. Introduction

Blood is one of the major products of the meat industry and an alternative source of nutritional and functional proteins [1] that has been used as an ingredient in many types of sausages, soups, bread, and cookies [2-4]. The quality of these processed foods is related to the presence of compounds that are orally administered to livestock [5] of various animal species that produce meat, eggs or milk, and whose residues are accumulated in animal tissue. Fluoroquinolones (FQs) belongs to a group of antibacterial agents which are widely employed in veterinary medicine [6,7].

Therefore, the measurement of drug concentrations in a biological matrix such as blood is a fundamental aspect to ensure the quality of the food consumed, and reliable analytical methods are required for compliance with national and international regulations.

In the first part of this work [8] we showed that there are numerous studies and reviews about the determination of FQs in animal tissues, eggs, and bovine milk, however, the number of studies specifically addressing FQs in porcine plasma or serum remains quite small. Hence, we developed an analytical method by CE to determine: flumenique (FLU), difloxacin (DIF), enrofloxacin (ENF), marbofloxacin (MRF), ofloxacin (OFL), ciprofloxacin (CPF), enoxacin (ENO), danofloxacin (DNF), and gatifloxacin (GTF) in samples of porcine blood.

When working with $C E$, the complete analyte separation is frequently expected, i.e., each peak belongs to a single compound. Consequently, a full-factorial (FFD) and a central composite design (CCD) were performed in order to increase the extraction and also to obtain total separation between the nine FQs and the IS in the CE separation. When real complex samples are analyzed, it is possible to find several unknown substances that overlap with target analytes.

To solve this issue and to achieve short analysis time, second order data has been generated and modeled with proper chemometric algorithms. In this procedure the information provided by second-order data can be uniquely ascribed to the analyte of
interest, even in the presence of unexpected components not considered during the calibration stage (a property that has been called "the second-order advantage"). Several works have been published concerning the chemometric modeling of CE-DAD data [9-13]. In the majority of them, Multivariate curve resolution-alternating least square (MCR-ALS) has been the algorithm chosen to solve the analytical problems [14]. MCR-ALS is wellknown second-order algorithm able to handle third-order data arrays deviating from trilinearity. The analysis by CE method with DAD, coupled to the chemometric algorithms, guarantees selectivity by mathematical means, allowing for resolution and quantitation of overlapped analytes while keeping the analysis time to a minimum.

In this second part of the work, we conclude with the validation of the developed method, to demonstrate that it is suitable for the intended use and it can offer reliable results. In the last years, several manuscripts have already been published about method validation strategies, including quality assurance, focused on bioanalytical methods, and regulatory purposes in pharmaceutical and control of residues. It should be taking into account that validation requirements are continually changing and vary widely [15].

Nowadays, there are several renowned international organizations offering guidelines on method validation and related topics. Primary references are the Association of Official Analytical Chemists (AOAC), the Food and Agricultural Organization (FAO), the United States Food and Drug Administration (FDA), the International Conference on Harmonization (ICH), the analytical chemistry group EURACHEM, etc. [15].

In this sense, the proposed method was validated according to FDA guidelines for bioanalytical assay procedures (FDA 2001) and the European Directive 2002/657 [16]. Bioanalytical method validation is crucial for the quantitative determination of various types of analytes in biological matrices. The bioanalysis procedure includes sampling, sample preparation, analysis, calibration and data evaluation.

## 2. Materials and methods

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### 2.1 Chemicals and Reagents

Ultra-pure water was obtained from Millipore (Bedford, MA, USA). Sodium tetraborate, sodium hydrogen phosphate, hydrochloric acid (HCl), sodium hydroxide $(\mathrm{NaOH})$, DMF, and dichloromethane (DCM) were purchased from Cicarelli (San Lorenzo, Argentina). The polymer poly (diallyldimethylammonium chloride) (PDADMAC) was purchased from Sigma-Aldrich Inc.(St. Louis, USA). LC grade methanol (MeOH) and ACN were obtained from J.T. Baker (Deventer, Netherlands).

All standards were of analytical grade. Salicylic acid (AS), flumenique (FLU), difloxacin (DIF), enoxacin (ENO), ofloxacin (OFL), and gatifloxacin (GTF) were provided by Sigma-Aldrich (Munich, Germany). Enrofloxacin (ENF), ciprofloxacin (CPF), and danofloxacin (DNF) were purchased from Fluka (St. Gallen, Switzerland), and marbofloxacin (MRF) was obtained from Molekula (Gillingham,UK). AS was used as an internal standard at a concentration of $70 \mathrm{mg} \mathrm{L}^{-1}$ dissolved in water-ACN (70:30, $\left.\mathrm{v} / \mathrm{v}\right)$.

### 2.2 Buffer and standard solutions preparation

Stock standard solutions of $2000 \mathrm{mg} \mathrm{L}^{-1}$ of each FQs were prepared by precisely weighing and dissolving the appropriate amount of standard in MeOH . The solutions were maintained under refrigeration at $4{ }^{\circ} \mathrm{C}$ at dark. Working standard solutions were daily prepared by appropriate dilution of the stock standard solutions in a mixture of water-ACN (70:30, v/v). BGE solutions were prepared from a mixture solution containing equal amounts of sodium borate and sodium hydrogen phosphate with a concentration of $23 \mathrm{mmol} \mathrm{L}^{-1}$ containing $0.2 \%$ of PDADMAC and adjusted to pH 7.80 NaOH solution was prepared at a concentration of $0.1 \mathrm{mmol} \mathrm{L}^{-1} ; \mathrm{HCl}$ was prepared at concentrations of 0.1 and $2.0 \mathrm{mmol} \mathrm{L}^{-1}$. Both solutions were used to adjust the BGE and porcine blood pH.

### 2.3 Instrumentation and experimental conditions

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All the CE experiments were carried out on an Agilent CE capillary electrophoresis system (Agilent Technologies, Waldbronn, Germany) equipped with an on-column diode array detector. Separation was performed by applying a reverse polarity of 25 kV , employing a coated fused-silica capillary (MicroSolv Technology Corporation, Eatontown, USA) with an inner diameter of $75 \mu \mathrm{~m}$ and a total length of 40 cm ( 31.5 cm effective length). The cartridge was maintained at $25.0^{\circ} \mathrm{C}$. The electropherograms were recorded at 275 nm during 4 min , and the second-order data were obtained by recording UV spectra between 200 and 400 nm each 2 nm at 0.4 s steps. The hydrodynamic injection was performed in the cathode by applying a pressure of 50 mbar for 10 s .

The capillary was coated using $1 \%(v / v)$ PDADMAC solution, which was prepared in the BGE solution. The coating was performed at the beginning of every working day by following the methodology presented by Fritz and Steiner, with minor modifications [17]. Four different solutions were pulled through the capillary using a 930 mbar pressure for 2 minutes in the following order: a 0.1 M NaOH solution; ultrapure water; a $1 \%(\mathrm{v} / \mathrm{v})$ aqueous solution of PDADMAC, and the BGE solution. After each of the first three solutions, a $15-20 \mathrm{~s}$ air purge was applied to the capillary to removed most of the previous solutions. After the last solution, a reverse polarity of 15 kV was used to obtain a stable baseline for the first electropherogram.

Between runs, the capillary was successively flushed with $0.1 \mathrm{~mol} \mathrm{~L}^{-1}$ sodium hydroxide, ultra-pure water, and BGE for 3 min . At the end of the day the capillary was washed with $0.1 \mathrm{~mol} \mathrm{~L}^{-1}$ sodium hydroxide, and ultra-pure water for 5 min , and finally, it was air-dried for 3 min .
pH values of the solutions were adjusted by an Orion 410A pH-meter equipped with $\mathrm{Ag} / \mathrm{AgCl}$ reference electrode (Hanna Instruments, Inc., Woonsocket, USA). All solutions were filtered through $0.45 \mu \mathrm{~m}$ Nylon membranes (Sartorius AG, Göttingen, Germany) before use.

### 2.4 Software

The CE ChemStation software (Agilent Technologies) was employed for the CE instrument control and data acquisition. All the algorithms were implemented in MATLAB 7.10 [18]. Those for applying MCR-ALS is available on the internet at http://www.mcrals.info/. Homemade routines based on the Eilers algorithm were used to perform second-order data baseline correction [19]. Homemade routines, based on SIMPLISMA (simple interactive self-modeling mixture analysis) [20], were used to initialize the ALS algorithm.Savitzky-Golay smoothing and differentiation filter were applied to preprocess the data [21].

### 2.5 Sample preparation (DLLME procedure)

Sample preparation was carried out following the method proposed in our previous work [8]. Figure 1A shows the sequenceof sample clean-up and extraction of FQs from porcine blood samples.
2.6 Method validation: selectivity, apparent recovery, precision, linearity and linear range, LOD, LOQ, matrix effect.

Univariate calibration methodology, based on analyte/IS peak area ratio (area FQs/area IS) at a fixed wavelength ( 275 nm ) was used to determine FLU, DIF, OFL, ENF, CPF, and MRF.

For ENO, DNF, and GTF multivariate method (MCR-ALS) was used with the secondorder data obtained by recording UV spectra between 200 and 400 nm .

The selectivity was evaluated with six blood samples from local slaughterhouses, processed according to the described extraction methodology and injected in the CE instrument. The obtained electropherograms were compared with the corresponding to a standard solution of the target analytes to evaluate the presence of peaks at the same migration times of the FQs. Peak purity was also tested.

The matrix effect was evaluated by comparison of the slopes of the calibration curves prepared with standard solutions of the analytes studied, with solutions of analytes in the porcine blood which were subjected to the extraction procedure. These calibrations curves were prepared with concentrations between 1.00 and $100.00 \mathrm{mg} \mathrm{L}^{-1}$. The comparison was performed using a Student's $t$-test with a confidence level of $95 \%$.

The repeatability was determined by measurements ( $n=6$ ) of samples solutions at four different concentrations: LOQ obtained for each analyte, $7.5,22.50$ and $30.00 \mathrm{mg} \mathrm{L}^{-1}$, prepared by spiking basal blood with a volume of standard solution. The intermediate precision was evaluated by performing repeated measurements of the same samples during four weeks. Then, the RSD was calculated in both precision studies, for each concentration value, and for each analyte. Regulation 401/2006/EC [22] issued that the permitted experimental RSD for each concentration level must be below twice-fold the value derived by Horwitz equation:

$$
\begin{equation*}
R S D_{R}=2^{(1-0.5 \log C)} \tag{1}
\end{equation*}
$$

where C is the mass fraction expressed as $\mathrm{mg} \mathrm{mL}^{-1}$.
The apparent recovery was evaluated using samples solutions at four different concentrations, prepared by spiking basal blood with a volume of standard solution. These samples were analyzed with the analytical procedure, and the quantity of each FQ recovered about the added amount was calculated.

Method linearity was assessed with calibrations curves constructed in triplicate with mixed standard solutions at five concentration levels, from the LOQ obtained for each FQs to $30.00 \mathrm{mg} \mathrm{L}^{-1}$ approximately, and salicylic acid as an internal standard at a concentration of $70 \mathrm{mg} \mathrm{L}^{-1}$. The linear graph was constructed using the ratio of area FQs/area IS (AS 70 mg $\mathrm{L}^{-1}$ ) versus nominal concentration of analytes (expressed in $\mathrm{mg} \mathrm{L}^{-1}$ ). Mixed standard solutions for FLU, DIF, ENF, MRF, CPF, OFN, DNF, and GTF were prepared at five concentration levels in water-ACN (70:30, v/v) and were introduced into the instrument in a randomized way. The results were analyzed with statistical method of linear regression by
least-squares. The homoscedasticity of the data was evaluated trough an $F$ test of the variances at the lower and upper limit of analyzed range [23]. The linearity of the calibration graphs was assessed with a lack-of-fit-test [24]. LODs and LOQs were determined using standard solutions prepared in porcine blood, for FLU, DIF, ENF, MRF, OFN, CPF, ENO, DNF, and GTF, applying different criteria.

Firstly, the LODs were computed from the calibration curve using the SD of the regression ( $s_{y}$ ) and the slope (b) through the expression:

$$
\begin{equation*}
\mathrm{LOD}=\frac{3.3 s_{y}}{b} \tag{2}
\end{equation*}
$$

Secondly, this parameter was estimated by the IUPAC criterion [24] using the expression:

$$
\begin{equation*}
Y_{\text {LOD }}=Y_{\text {blank }}+3.3 s_{\text {blank }} \tag{3}
\end{equation*}
$$

where $Y_{\text {LOD }}$ is the response by the LOD, $Y_{\text {blank }}$ is the average of the blank signal and $s_{\text {blank }}$ is its corresponding SD. The $Y_{L O D}$ values were converted to concentration through the calibration function using the slope $b$.

Otherwise, the LODs were calculated as the concentration of analyte giving a signal three times the noise level $(\mathrm{S} / \mathrm{N}=3)$. In this sense, two different noise levels were estimated: the noise level near the peak of the IS and the mean values of noise level given in the migration time of each FQs, obtained by the repetition of ten injections of a basal blood on different days and weeks.

The LOQs were computed from the linear regression analysis using the SD of the regression $\left(s_{y}\right)$ and the slope $(b)$ as was done for the LODs but using a factor equal to 10. Otherwise, these parameters were estimated by the IUPAC criterion [24] using the expression $Y_{\text {LOD }}=Y_{\text {blank }}+10 s_{\text {blank }}(4)$.

Additionally, they were calculated as the concentration of analyte giving a signal ten times the noise level $(\mathrm{S} / \mathrm{N}=10)$, using the noise levels calculated before.

## 3. Results and discussion

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### 3.1 Separation selectivity

In our previous work [8] we optimized the separation of nine FQs and the IS using the response surface methodology by applying experimental designs. The results of this study were optimized conditions that assure the complete analyte separation in the shortest analysis time when a standard solution of target analytes was analyzed.

The total separation of a mixture of standard FQs was possible due to the different percentage of positive, negative, and neutral species of FQs that exist when working at the optimized separation pH of 7.80 . Under reverse polarity, FLU migrates in the first place; whose predominant species has negative charge. The following peaks correspond to DIFLO, ENF, MRF, OFN, CPF, ENO, DNF, and GTF, with decreasing percentages of negative species.

However, in the analysis of real blood samples, unknown substances of the complex biological matrix were extracted, originating the peak overlapping of Figure 1C. Specifically, interference substances appeared in the migration times of ENO, DNF, and GTF, given that these unknown species have the same electrophoretic behavior as the last three peaks of FQs of Figure 1B. Moreover, no interference substances were found in the migration time of IS and the others FQs.

The Figure 1B and 1C show the electropherogram of a sample prepared for studying of apparent recovery, and a real sample of porcine blood, respectively. In Figure 1B, the overlap between endogenous components of porcine blood with the last three FQs peaks is noticeable.
3.2 MCR-ALS analysis

As mentioned before, substantial overlapping of the three analytes (ENO, DNF, and GTF) and blood compounds is evident in the region $3.30-3.65 \mathrm{~min}$. In this sense, these compounds cannot be determinate for univariate calibration. Consequently, MCR-ALS was chosen for data processing in this section, because this algorithm achieves the second-order
advantage without requiring the data to fulfill the trilinearity property. With this purpose, the strategy of augmenting matrices along the mode which is suspected of breaking the trilinear structure is implemented. Bilinear decomposition of the augmented matrix $\mathbf{D}_{\text {aug }}$ is performed by of the expression:

$$
\begin{equation*}
\mathbf{D}_{\mathrm{aug}}=\mathbf{C}_{\mathrm{aug}} \times \mathbf{S}^{\mathrm{T}}+\mathbf{E}_{\mathrm{aug}} \tag{5}
\end{equation*}
$$

in which the rows of $\mathbf{D}_{\text {aug }}$ contain the $U V$-visible spectra ( $K$ wavelengths) as a function of the time ( $J$ times), the columns of $\mathbf{C}_{\text {aug }}$ contain the time profiles of the $N$ compounds involved in the process, the columns of $\mathbf{S}$ their related spectra, and $\mathbf{E}_{\text {aug }}$ is a matrix of residuals not fitted by the model.

The MCR-ALS method was cubic spline interpolation, and smoothing was applied to all matrices given the high level of noise in the data.

The first modeling step consisted of building an augmented data matrix $\mathbf{D}$ in the temporal mode by stacking data matrices corresponding to each calibration solution.

Given that between the IS and the $t m$ of ENO, DNF and GTF appear other FQs that have the same spectra, the MCR-ALS method was applied in two different regions, one region between 1.70 and 2.00 min for IS (AS) and the other region between 3.20 and 3.65 for ENO, DNF, and GTF. The final dimension of the matrix was of ( $176 \times 81$ ).

To build the initial estimation, the analysis of the purest spectra based on the SIMPLISMA methodology was applied to obtain each FQs and IS spectra [25]. Interestingly, the number of contributing species in the system when using singular value decomposition was equal to the real number of analytes (AS, ENO, DNF, and GTF), and hence two more unknown components should be considered. After MCR-ALS decomposition of D, concentration information of standard samples contained in $\mathbf{C}$ (the areas under the temporal profiles of each component) was used to construct the univariate regression of peak-area ratios for each analyte and the IS.

Figures 2 A and 2 B show the time and spectral profiles corresponding to the six components found by MCR-ALS analysis, for a spiked porcine blood sample. As depicted in

Figure 2A, there is a severe overlapping of time, however, MCR-ALS is able to correctly decompose the data into the relevant contributions; first to the IS, and then in subsequent order, ENO, interference 1, DNF, interference 2, and GTF.

Figure 2 B also shows the spectral profiles retrieved by MCR-ALS analysis. A reasonably good agreement is found between the spectra corresponding to the analyte obtained with MCR-ALS and the pure spectra (determination coefficients greater than $0.998)$.

### 3.3 Validation

## LOD and LOQ

The values of LODs and LOQs obtained are listed in Table 1. In the first analysis, we observed that the values achieved with the noise level in each migration time were higher than the values obtained with the noise level taken near of the IS. These phenomena can be explained by the change of the noise level between days and weeks generated by the natural variation of the electrophoretic technique. These values are considered to be the most realists, and were used to define the quality parameters of the method. The same conclusion is obtained for LOQs and for LODs.

In the case of ENO, DNF, and GTF, the LODs and LOQs were obtained from multivariate calibration because endogenous compounds interfere with the determination of the analytes. These values of LODs and LOQs correspond to the lowest concentration of FQs detectable and quantifiable in porcine blood sample under the experimental conditions.

Even though all of the applied methodologies for the calculations of the limits are appropriate for this work, it is observed that the results obtained differ. Considering the importance on the calculation of these parameters, and the need not to underestimate them, we choose the methodological approach based on the measure of the background noise in the migration time of each FQs.

Nevertheless, it is necessary to note that if we consider the preconcentration factor (10) that affects the extraction procedure, these limits will become ten times less.

## Matrix effect

The matrix effect study showed that the difference between the slopes of the calibration curves constructed was not statistically significant, proving that the blood matrix does not affect the extraction procedure.

## Linearity

The homoscedasticity test showed that the difference between the observed and the critical value of $F$ was not significant $(\alpha=0.05)$. The $p$-values obtained in the lack-of-fit-test were greater than 0.10 , so the model was adequate for the observed data, and there was an excellent linearity within stated ranges. Also, the squared determination coefficient $\left(r^{2}\right)$ obtained for all the calibration graphs were above 0.99. The results are summarized in Table 2.

Precision
The RSD was calculated in both precision studies, and the results are shown in Table 2. The RSDs computed, for each concentration value, and for each analyte are lower than the calculated values by Horwitz equation. These results indicate that the method satisfies the minimum performance criteria established by the above -mentioned regulation.

## Apparent recovery

Apparent recoveries were ranged between $89 \%$ and $113 \%$ (Table 3A), and this can be considered as excellent given the complexity of the samples.

### 3.4 Analysis of real samples

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Six blood samples from local slaughterhouses were processed according to the described extraction methodology (Section 2.5) and injected into the CE system.

In two of the analyzed samples, the presence of FLU was detected: $1.64 \mathrm{mg} \mathrm{L}^{-1} \mathrm{~S} 1$ and $3.06 \mathrm{mg} \mathrm{L}^{-1} \mathrm{~S} 3$ (Table 3B). Also, to demonstrate that the method developed is valid in real samples, the results were compared between spiked and non-spiked samples. These samples were spiked with three different standard solutions of $0.50,1.00$ and $2.00 \mathrm{mg} \mathrm{L}^{-1}$ of FLU. Recovery \% was calculated in each case. These high recoveries (95-102 \%) indicate that the method can be applied to real samples.

Finally, a comparison with other published methods was conducted with the aim to show the advantages of the method reported in this paper. In the literature, the numbers of FQs which can be determined simultaneously in a less complex matrix than porcine blood are less than eight [26-30]. Consequently, it is apparent that one important achievement is the possibility to quantitate the nine analytes together. Another significant achievement is the substantial reduction of the analysis time, between twice and ten-fold lesser than the published methodologies [25, 29-31]. Furthermore, it is important to remark the decrease in the use of solvents during the extraction phase ( $300-800 \%$ less) in agreement with green chemistry [32-34]. Although the LODs obtained in other publications are smaller than the one achieved in this paper (between 0.001 and $0.2 \mathrm{mg} \mathrm{L}^{-1}$ ) it should be remarked that the LOQs obtained by use of this method are enough for monitoring the drugs in blood because there is no limit determined by regulation.

## 4. Concluding remarks

A validated CE method for the determination of the FQs FLU, DIF, ENF, MRF, OFN, and CPF in porcine blood has been developed by using univariate calibration. The determination of ENO, DNF, and GTF in the presence of unexpected compounds can be performed by using second-order data generated by use of CE coupled with DAD. It has
been demonstrated once again that modeling data (as it happens with CE-DAD data) using MCR-ALS is the strategy of choice, owing to its flexibility.

The electrophoretic runs had a short analysis time (ca. 4 min ). Hence, the proposed method becomes an alternative for routine laboratories

By performing the DLLME strategy presented in this work, no contaminant solvents should be used in the analyte extraction, which is highly recommended to follow the green analytical chemistry principles.

The whole method is simple, accurate, selective, inexpensive and fast. Furthermore, it is sensitive enough for the analysis of FQs in porcine blood, because there are no maximum residue limits (MRLs) of FQs in porcine blood in Argentine.

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The authors have declared no conflict of interest.

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Figure captions
Figure 1: The sequence of sample clean-up and extraction of FQs from porcine blood samples (A). Electropherograms obtained under optimum separation experimental conditions corresponding to: (B) a sample prepared for studying apparent recovery and (C) real sample of porcine blood.


Figure 2: A) Concentration profiles retrieved by MCR-ALS for a spikes porcine blood sample. Salicylic acid (AS black dash-dotted line), enoxacin (ENO black dots), danofloxacin (DNF black solid line), gatifloxacin (GTF black dashed line), interference 1 (Int. 1 grey dashed line) and interference 2 (Int. 2 grey dashed line) B) Spectral profile retrieved by MCR-ALS for the same sample as in $\mathbf{A}$.


456
457
Table 1. LODs and LOQs values computed according to the criteria described in the section
$459 \quad 2.6$

| Analyte | LOD( $\mathrm{mg} \mathrm{L}^{-1}$ ) |  |  |  | LOQ( $\mathrm{mg} \mathrm{L}^{-1}$ ) |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | S/N |  |  |  | IUPAC | S/N |  | Calibration curve |
|  | IUPAC | Noise level near the | Mean <br> noise <br> level | Calibration curve |  | Noise level <br> near the | Mean noise level |  |
|  | 6.71 | $\frac{\text { noak of }}{1.62}$ | ${ }^{\text {aivan in }} 4.55$ | 2.38 | 8.13 | noak nf | aiven in 9.62 | 6.28 |
| DIF | 6.85 | 1.55 | 3.35 | 2.45 | 8.32 | 5.16 | 6.64 | 6.47 |


| ENR | 4.23 | 1.04 | 1.81 | 2.46 | 10.84 | 3.46 | 4.53 | 6.48 |
| ---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| MRF | 8.62 | 2.69 | 2.25 | 2.38 | 14.78 | 8.97 | 6.38 | 6.28 |
| OFL | 4.50 | 1.36 | 1.76 | 3.40 | 11.79 | 4.52 | 5.86 | 9.0 |
| CPF | 4.92 | 1.20 | 1.55 | 2.20 | 12.36 | 4.00 | 5.17 | 5.81 |
| $\mathrm{ENO}^{\mathrm{a}}$ | - | - | - | 1.22 | - | - | - | 3.43 |
| $\mathrm{DNF}^{\mathrm{a}}$ | - | - | - | 1.44 | - | - | - | 4.06 |
| $\mathrm{GHF}^{\mathrm{a}}$ | - | - | - | 1.34 | - | - | - | 3.78 |

$460 \quad{ }^{\text {a }}$ Values obtained using multivariate calibration
461

462

463 Table 2. Linearity ranges, analytical figures of merit, and precision results.


464 a Values between parenthesis correspond to the SD
465 bSince the $p$-value for the lack of adjustment is greater than or equal to 0.10 , the model
466 seems to be adequate for the observed data.
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C
${ }^{c}$ Values obtained by multivariate curve resolution
${ }^{d}$ Values correspond to the RSD $_{R}$ obtained by Horwitz equation. Acceptance criteria: $R S D_{R}$ for $7.50 \mathrm{mg} \mathrm{L}^{-1}$ less than 11.8 , for $22.50 \mathrm{mg} \mathrm{L}^{-1}$ less than 0.8 , and for $30.00 \mathrm{mg} \mathrm{L}^{-1}$ less than 9.6.

Table 3. A) Apparent recovery evaluated using samples solutions at four different concentrations, prepared by spiking basal blood with a volume of standard solution,B)Determination FLU in real blood samples spiked with drug standards solutions.

| 3.A | Apparent recovery (\%) |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
|  | Fortification levels ( $\mathrm{mg} \mathrm{L}^{-1}$ ) |  |  |  |
| Analyte | LOQ | 7.50 | 22.50 | 30.00 |
| FLU | $101(7)$ | $98(9)$ | $98(9)$ | $97(2)$ |
| DIF | $106(2)$ | $101(8)$ | $103(6)$ | $103(5)$ |
| ENF | $113(4)$ | $96(5)$ | $101(9)$ | $104(8)$ |
| MRF | $110(4)$ | $101(8)$ | $105(9)$ | $94(6)$ |
| OFN | $110(5)$ | $89(7)$ | $96(8)$ | $102(7)$ |
| CPF | $100(9)$ | $94(8)$ | $96(4)$ | $91(4)$ |
| ENO | $105(5)$ | $99(4)$ | $95(3)$ | $103(3)$ |
| DNF ${ }^{\text {b }}$ | $109(4)$ | $101(2)$ | $99(5)$ | $99(3)$ |
| GTF $^{\text {b }}$ | $104(2)$ | $102(2)$ | $102(2)$ | $101(3)$ |
| 3.B |  | Sample recovery (\%) |  |  |

$476{ }^{\text {a }}$ Values between parenthesis correspond to the SD
$477{ }^{\text {b }}$ Values obtained by multivariate curve resolution

