

# Formation kinetics and microstructure of Mg–Ti hydrides made by reactive ball milling



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## ABSTRACT

In this work we report the formation kinetics and microstructural properties of  $Mg_{1-x}Ti_x$  powder metal hydride systems (x = 0.1, 0.2, 0.3, 0.4, 0.5), obtained by reactive ball milling (RBM) via three different ways. The resulting  $MgH_2$ -TiH<sub>2</sub> nanocomposites are characterized and an optimal composition is found. Differences among the preparation routes are analyzed.

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# 1. Introduction

Magnesium and magnesium alloy hydrides have been investigated as hydrogen storage materials because of their relevant properties such as high hydrogen capacity, availability and low cost. The need to improve the kinetic properties of such systems, in order to convert them in promising materials for hydrogen storage, lead to the search for catalysts of the  $Mg + H_2 \leftrightarrow MgH_2$  reversible reaction [1].

Recently, some progress was made in the field, fabricating  $MgH_2$ -TiH<sub>2</sub> nanocomposites by milling Mg-Ti mixtures under a relatively high (8 MPa) H<sub>2</sub> pressure [2]. Practical conditions are required for a hydrogen storage system to be considered useful as such. Although we are exploring the formation properties of that systems as potential reservoirs, the same demand must be kept for their fabrication too. With this aim we start an investigation to explore the formation of such  $MgH_2$ -TiH<sub>2</sub> nanocomposites by milling at low H<sub>2</sub> pressure (less than 0.3 MPa) and starting from different primary materials. The studied samples consisted of heterogeneous systems which were prepared from Mg–Ti powder mixtures with different Mg:Ti ratios, mechanically ground in  $H_2$ , obtaining fine dispersions of MgH<sub>2</sub> and TiH<sub>2</sub> phases. Preparation has been performed following three different routes, all of them consisting in the milling of the powder mixture with certain Mg:Ti ratio under  $H_2$  atmosphere, but varying in each method the accomplishment or not of a pre-milling treatment.

A pressure sensor let the hydrogen consumption to be measured as the grinding is performed and then kinetic curves were obtained for the hydride formation reactions as a function of the milling time. Both the kinetic curves and their corresponding derivatives, support the idea of the existence of well separated formation stages for MgH<sub>2</sub> and TiH<sub>2</sub>. Therefore we have proposed a mixed function, built up from the sum of two sigmoidal type functions, in order to fit the experimental kinetic curves.

The resulting phases were identified by X-ray diffraction (XRD), technique which also yields an estimation of grain sizes and microstrain. In a second stage of our research the

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hydrogen sorption properties under thermal activation will be investigated.

# 2. Experimental

The mixtures obtained from Mg granules and Ti powder, both of high purity (99.9% and 99.4% respectively), were ground in a vibratory ball mill (modified Retsch MM2) in H<sub>2</sub> atmosphere at a starting pressure of 280 kPa. The Mg:Ti ratios considered were 50:50, 60:40, 70:30, 80:20 and 90:10. A ball to sample mass ratio of about 15 and a grinding frequency of 32 Hz were used. Employing a gauge transducer (0.5 kPa of sensibility) the pressure in the reaction chamber was recorded during the process. When the pressure fell below 220 kPa because of the hydrogen absorption by the metals, the gas was injected automatically restoring the initial value of pressure. The system then kept the pressure bound in the range 220–280 kPa. Kinetics curves were built up from this information, reconstructing the curve of hydrogen consumption [3].

The mentioned three routes of preparation of the systems were the following:

- a) Milling directly under H<sub>2</sub> atmosphere powders mixtures of Mg and Ti in the proportions mentioned above;
- b) Similar mixtures were previously milled in Ar atmosphere and later under H<sub>2</sub> atmosphere;
- c) Milling under H<sub>2</sub> atmosphere powder mixtures of Mg and TiH<sub>2</sub> (obtained previously by similar method), in the adequate proportions.

Diffraction patterns were obtained by using Cu K $\alpha$  radiation with a Philips PW1710 difractometer. Bragg geometry was used, in the range  $2\theta$ :  $20^{\circ}$ – $80^{\circ}$ , with steps of  $0.05^{\circ}$ . For selected samples (Mg<sub>30</sub>Ti<sub>20</sub>) a step of  $0.02^{\circ}$  were used to improve the statistics in order to perform a Rietveld refinement.

# 3. Results

The progress in the absorption reactions during reactive ball milling was obtained considering the instantaneous fraction f(t) of hydrogen atoms incorporated to the mixture relative to the number of metallic atoms. This is calculated from

 $N_H(t) = -\Delta P(t) V/RT \mbox{ and } N_M = N_{Mg} + N_{Ti}. \label{eq:NH}$ 

The formation kinetic curves are shown in Fig. 1. Emphasis has been placed on the compositional evolution of kinetics, which appears to be strongly dependent on the Mg:Ti ratio. The hydrogen capacity resulted in a valuef  $(t \rightarrow \infty) \approx f_{max} = 2,0$ for all the samples obtained by direct milling (route *a*). Comparing the three preparation methods presented in Fig. 1, it can be seen that the reaction Mg  $\rightarrow$  MgH<sub>2</sub> can be considered almost complete for routes *a* and *c*. Instead for route *b* the reaction is clearly not complete.

In the diffraction patterns for all fabrication routes, phases  $\gamma$ -MgH<sub>2</sub> (metastable) [4], rutile-MgH<sub>2</sub> and  $\delta$ -TiH<sub>2</sub> have been identified. It is worth to note that the  $\epsilon$ -TiH<sub>2</sub> phase results indistinguishable from the  $\delta$  one in the present data. A small

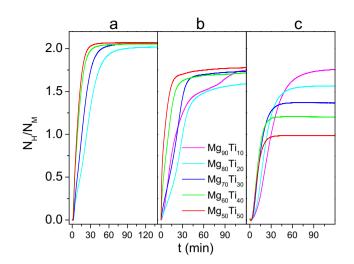


Fig. 1 – Formation kinetic curves for all the studied compositions prepared by: a) route *a*; b) route *b*; c) route *c*.

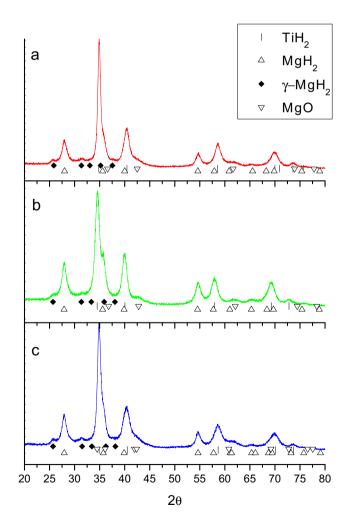


Fig. 2 – XRD patterns for 80:20 composition samples prepared by: a) route a; b) route b; c) route c. Also shown are the peak positions for the main phases observed.

proportion of MgO had also to be considered to improve the fit quality. Oxidation was unavoidable during XRD measurements performed at open atmosphere. The XRD patterns of  $Mg_{80}Ti_{20}$  are reported in Fig. 2, where a change in the cell dimensions of TiH<sub>2</sub> phase for milling route *b* is evident.

# 4. Analysis and discussion

### 4.1. Capacity and kinetics

Generally the formation kinetics curves have a sigmoidal growing form. This behaviour is described by the differential equation  $y'(t) = k(t) \cdot y(t)$  where k(t) is the instantaneous growth rate, and is related to the number of atoms able to absorb hydrogen. In our particular case the number of atoms capable to absorb hydrogen must reduce with time, because formation of hydride phase implies reduction of metallic ones. Further, k(t) must tend to zero for increasing times. Models with  $k(t) = a \cdot t^{-n}$  did not lead to good fits to the experimental data. Instead, reasonable fits were obtained if an exponential decay is assumed for k(t). This model leads to the so called Gompertz function  $y(t) = ae^{-e^{-b(t-c)}}$  as the general solution.

To model the observed two stage behaviour, we adopt this functional form for each of the process identified in our kinetic curves, thus we have a kinetic curve consisting of a sum of two Gompertz functions, each one representing the different stages.

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 $y_{S}(t) = y_{1} + y_{2} = a_{1}e^{-e^{-k_{1}(t-tm_{1})}} + a_{2}e^{-e^{-k_{2}(t-tm_{2})}}$ 

Fig. 3 - Kinetic curves for samples obtained by route *a* fitted with the proposed sum of two Gompertz functions.

Table 1 – Fitted parameters for the kinetic curves of hydrides made by route a and c with different Mg:Ti ratio, using the function described in the text. Index 1 and 2 correspond respectively to the formation of MgH<sub>2</sub> and TiH<sub>2</sub>.

| Mg:Ti ratio | Kin                        | 6                         |                            |
|-------------|----------------------------|---------------------------|----------------------------|
|             | Route                      | Route c                   |                            |
| 90:10       | a <sub>1</sub> : 1.84      | a <sub>2</sub> : 0.20     | a <sub>1</sub> : 1.7589(6) |
|             | k <sub>1</sub> : 0.0426(2) | k <sub>2</sub> : 0.13(2)  | k <sub>1</sub> : 0.0721(2) |
|             | t <sub>m1</sub> : 53.9(1)  | t <sub>m2</sub> : 4.9(6)  | t <sub>m1</sub> : 22.65(4) |
| 80:20       | a <sub>1</sub> : 1.6       | a <sub>2</sub> : 0.4      | a <sub>1</sub> : 1.560(3)  |
|             | k <sub>1</sub> : 4.5276    | k <sub>2</sub> : 5.4214   | k <sub>1</sub> : 0.1060(2) |
|             | t <sub>m1</sub> : 23.58(2) | t <sub>m2</sub> : 4.63(2) | t <sub>m1</sub> : 16.97(2) |
| 70:30       | a <sub>1</sub> : 1.44      | a <sub>2</sub> : 0.6      | a <sub>1</sub> : 1.3665(4) |
|             | k <sub>1</sub> : 0.195(6)  | k <sub>2</sub> : 0.286(6) | k <sub>1</sub> : 0.1470(6) |
|             | t <sub>m1</sub> : 17.75(5) | t <sub>m2</sub> : 5.25(5) | t <sub>m1</sub> : 11.10(2) |
| 60:40       | a <sub>1</sub> : 1.23      | a <sub>2</sub> : 0.8      | a <sub>1</sub> : 1.2001(2) |
|             | k1: 0.162(1)               | k <sub>2</sub> : 0.461(7) | k <sub>1</sub> : 0.1986(7) |
|             | t <sub>m1</sub> : 11.47(4) | t <sub>m2</sub> : 3.14(2) | t <sub>m1</sub> : 11.10(2) |
| 50:50       | a <sub>1</sub> : 1.033     | a <sub>2</sub> : 1.033    | a1: 0.9821(2)              |
|             | k <sub>1</sub> : 0.193(1)  | k <sub>2</sub> : 0.489(5) | k <sub>1</sub> : 0.2025(7) |
|             | t <sub>m1</sub> : 11.34(3) | t <sub>m2</sub> : 3.64(1) | t <sub>m1</sub> : 8.43(1)  |

For the fits to be consistent with the stoichiometric proportion given in each system we must fix the constrains  $a_1 + a_2 = f_{\text{máx}}$ ,  $a_1 = f_H(\text{TiH}_2)$ ,  $a_2 = f_H(\text{MgH}_2)$ .

It is clear that just one component should be sufficient to fit the corresponding kinetic curves for the samples made by route c with the Ti fraction already as TiH<sub>2</sub>. The resulting fits are presented in Fig. 3 and the fitted parameters are reported in Table 1.

To have a better knowledge of the transformation process rates, the derivatives of the original formation kinetic curves, were built. Those are presented in Fig. 4. In the case of direct method, all derivatives have a two maxima structure suggesting the existence of two more or less distinguishable stages for the reacted fraction. We associate the first maximum with the formation process of TiH<sub>2</sub> because of its lower enthalpy respect to MgH<sub>2</sub> formation, which in turn can be associated with the second maximum.

In order to have a characterization of kinetic properties we may define a characteristic time  $t_m$  as that corresponding to the maximum transformation velocity. The resulting values are quoted in Table 1 and show a notorious reduction in characteristic times with increasing Ti.

#### 4.2. XRD-phases, strain and grain size

The Powder cell code was used to fit the structure of each single phase to the experimental data. The identification of only hydride phases does agree with the completeness of reactions Mg  $\rightarrow$  MgH<sub>2</sub> and Ti  $\rightarrow$  TiH<sub>2</sub>. As mentioned before MgO is produced during XRD measurements performed at open atmosphere. Fig. 5 shows the results for one sample obtained by route *a*.

The FWHM of each of the single phase peaks, were obtained from those fits. For the samples fabricated via routes *a* and *c*, the Scherrer model indicates a decreasing grain size for the rutile-MgH<sub>2</sub> with the increase in the Ti proportion of the mixture. This can be assigned to the abrasive properties of TiH<sub>2</sub> which is formed in a first stage [1].

| Table 2 - Parameters obtained from the refinement of XRD patterns of samples with 80:20 composition and different |
|---|
| fabrication routes. L is the average grain size.  |

| Method<br>a | Phase                      | Cell parameters [nm] |            |           | L [nm] | Content [wt%] |
|-------------|----------------------------|----------------------|------------|-----------|--------|---------------|
|             | β-MgH <sub>2</sub>         | a: 0.45013           |            | c 0.30435 | 6.54   | 42.79         |
|             | $\gamma$ -MgH <sub>2</sub> | a: 0.44528           | b: 0.54204 | c: 0.51   | 12.68  | 6.37          |
|             | $\delta$ -TiH <sub>2</sub> | a: 0.4456            |            |           | 17.1   | 40.10         |
|             | MgO                        | a: 0.425             |            |           | 5.68   | 10.74         |
| b           | $\beta$ -MgH <sub>2</sub>  | a: 0.45159           |            | c: 0.3035 | 8.2    | 48.07         |
|             | $\gamma$ -MgH <sub>2</sub> | a: 0.4606            | b: 0.53756 | c: 0.499  | 6.18   | 6.88          |
|             | $\delta$ -TiH <sub>2</sub> | a: 0.4581            |            |           | 9.75   | 37.86         |
|             | MgO                        | a: 4.25              |            |           | 12.54  | 7.2           |
| С           | $\beta$ -MgH <sub>2</sub>  | a: 0.4513            |            | c: 0.302  | 8.5    | 45.98         |
|             | $\gamma$ -MgH <sub>2</sub> | a: 0.4537            | b: 0.5356  | c: 0.4954 | 7.0    | 7.01          |
|             | $\delta$ -TiH <sub>2</sub> | a: 0.4446            |            |           | 14     | 27.38         |
|             | MgO                        | a: 4.306             |            |           | 3      | 19.8          |

A Williamson–Hall analysis of the peaks width for the 80:20 samples yields grain sizes similar to those obtained by the Scherrer method and microstrain values typical of mechanically alloyed samples. An increase in the lattice constant for the TiH<sub>2</sub> phase in the sample obtained by route *b* may be attributed to some Mg dilution in the TiH<sub>2</sub> lattice.

A Lorentzian line profile function was needed for the structure fit of all phases in each one of the prepared systems, with the exception of  $\text{TiH}_2$  which required a pseudovoigt profile function in the samples fabricated though the route c.

Concerning the metastable  $\gamma$ -MgH<sub>2</sub> phase, it is found usually in ball milled Mg hydrides and does not affect the hydrogen capacity of the system. Furthermore, we expect that it would convert into the stable rutile-MgH<sub>2</sub> under thermally activated hydrogen release and uptake processes.

# 5. Conclusions

A remarkable enhancement in the formation kinetics was found with the increment of Ti proportion in  $Mg_{1-x}Ti_x$  systems. Making a balance between the need for fast kinetics and undesirable low gravimetric density, one can establish that compositions around x = 0.2-0.3 have the better properties

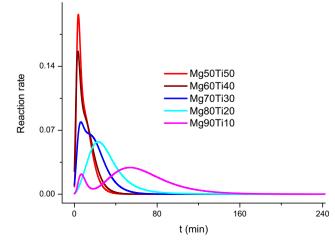


Fig. 4 – Derivatives of the kinetic curves shown in Fig. 3.

without appreciable loss of hydrogen capacity. In particular for route c, the MgH<sub>2</sub> formation rate does not increase further for  $x \ge 0.4$ , setting x = 0.3 as an optimal composition.

On the other hand, satisfactory fits with the model of two Gompertz components are in agreement with the identification of the separated formation stages for TiH<sub>2</sub> and MgH<sub>2</sub> in the case of route *a*. That is why a unique component fits well the kinetic curves for the route *b* in which the TiH<sub>2</sub> is already prepared when the milling starts. Therefore the parameters  $k_i$ can be interpreted as kinetic constants characterizing both processes.

The greater reaction velocities correspond to route c and this denotes the catalytic role played by  $\text{TiH}_2$ . This route would then constitute a possible way for the fabrication of a hydrogen reservoirs with a stable  $\text{TiH}_2$  phase as a catalyst for the complete reaction Mg  $\rightarrow$  MgH<sub>2</sub>.

In summary, we have confirmed the adequacy of the ball milling under low  $H_2$  pressure to prepare this kind of MgH<sub>2</sub>—TiH<sub>2</sub> nanocomposites, starting from different primary materials. This encourages further studies on the kinetics of  $H_2$  thermal sorption of these systems and their stability under repeated cycles of hydrogen uptake and release.

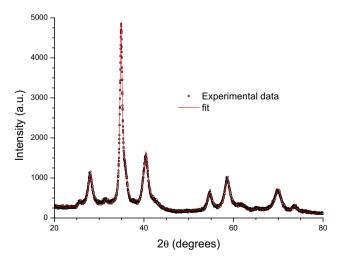


Fig. 5 – XRD pattern for 80:20 composition samples made by route a and the corresponding refinement yielding the parameters quoted in Table 2.

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