# H $\alpha$ Moreton waves observed on December 06, 2006 

# A 2D case study 

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#### Abstract

Context. We present high temporal resolution observations of a Moreton wave event detected with the $\mathrm{H} \alpha$ Solar Telescope for Argentina (HASTA) in the $\mathrm{H} \alpha$ line 656.3 nm , on December 6th, 2006. Aims. The aim is to contribute to the discussion about the nature and triggering mechanisms of Moreton wave events. Methods. We describe the HASTA telescope capabilities and the observational techniques. We carry out a detailed analysis to determine the flare onset, the radiant point location, the kinematics of the disturbance and the activation time of two distant filaments. We use a 2D reconstruction of the HASTA and corresponding TRACE observations, together with conventional techniques, to analyze the probable origin of the phenomenon. Results. The kinematic parameters and the probable onset time of the Moreton wave event are determined. A small-scale ejecta and the winking of two remote filaments are analyzed to discuss their relation with the Moreton disturbance. Conclusions. The analysis of the Moreton wave event favors the hypothesis that the phenomenon can be described as the chromospheric imprint of a single fast coronal shock triggered from a single source in association with a CME ejection. Its onset time is concurrent with a Lorentz force peak measured in the photosphere, as stated by other authors. However, the existence of multiple shock waves that originate almost simultaneously cannot be discarded.


Key words. Sun: activity - Sun: coronal mass ejections(CMEs) - Sun: flares

## 1. Introduction

Moreton \& Ramsey (1960) were the first to report Moreton waves. They were observed as one or two successive wavefronts of large scale chromospheric semi-circular propagating disturbances with extensions larger than $5 \times 10^{5} \mathrm{~km}$ and speeds ranging from $500 \mathrm{~km} \mathrm{~s}^{-1}$ to $2000 \mathrm{~km} \mathrm{~s}^{-1}$.

There is a consensus that Moreton waves are not of chromospheric origin. Thus, Uchida $(1968 ; 1973)$ proposed the socalled "blast-wave scenario": the skirt of an MHD wavefront surface (a coronal fast mode originated in an active region) -that can eventually steepen into a shock wave- sweeps the chromosphere producing the Moreton pulse observed in $\mathrm{H} \alpha$.

Warmuth et al. (2001; 2004a; 2004b) found that Moreton perturbations slow down as they propagate. The deceleration is not constant, the intensity decreases and the profile broadens with time and distance as it moves away from the origin, suggesting that Moreton waves are shocks triggered by a large amplitude single pulse.

Chen et al. (2002; 2005a; 2005b) proposed a model where the rise of a flux rope generates a piston-driven shock formed by the expansion of a CME responsible of the Moreton pulse. They also suggested that, after the CME onset, a cusp-shaped flare occurs located below a flux rope. Hence, the two footpoints of

[^0]the flare loop separate with a velocity of tens of kilometers per second. Between this structure and the coronal Moreton wave, another wavelike structure, the observed EIT wavefront is identified as a propagating plasma enhancement, formed by successive opening of the field lines covering the flux rope. The numerical results give an EIT speed about one-third of the corresponding coronal Moreton wave velocity. As both solar flares and CME's are explosive phenomena, capable to launch coronal disturbances which are jointly observed in most cases, the controversy about which of the two phenomenon is the main responsible of the Moreton wave event is still not elucidated.

With the aim of contributing to this discussion we analyze a Moreton wave event associated with an $X 6.5$ flare observed with high temporal resolution by HASTA ( $\mathrm{H} \alpha$ Solar Telescope from Argentina) on December 6th, 2006 in the NOAA AR10930. Additionally data from other instruments were also used to investigate the possible origin of the event. We follow three hypothetical scenarios of wave generation (Warmuth et al. 2007), namely, the flare pressure pulse, the CME ejection and the smallscale ejecta which will be refereed as hypothesis $H 1, H 2$ and $H 3$ respectively. Balasubramaniam et al. (2010) extensively analyzed the same event and concluded that the lateral expansion of an erupting arcade located at the west side of NOAA AR10930 was probably the main cause of this Moreton disturbance (hypothesis H2).

We analyzed the evolution of the Moreton wavefronts and small-scale ejecta at the east side of NOAA AR10930 to investigate the accuracy of each hypothesis. Also, we measured the ignition times of the flare and the winking of two distant filaments that seem activated by the pass of the global Moreton wavefront, as suggested by Gilbert et al. (2008).

## 2. The Data

HASTA is installed in the Solar Division of the C.U. Cesco Station (OAFA), and provides daily full Sun disk images in the hydrogen $\mathrm{H} \alpha$ emission line at 656.27 nm . It uses a Lyot filter with a full width at half maximum (FWHM) of 0.03 nm . A $1280 \times 1024$ square pixels CCD chip collects the incoming signal with a spatial resolution of $\approx 2 "$ per pixel. The telescope can take images either in patrol or in high-speed mode. The camera takes images every 15 sec . Each image is analyzed in real time in order to detect rapid changes in the overall intensity. If no change is detected, the algorithm stores one image every 1.5 min (patrol mode). On the other hand, if a fast change is detected, the camera automatically switches to the high-speed mode. In this mode, the telescope can take and store full-frame images up to every 3 sec (Bagalá et al. 1999). The $\mathrm{H} \alpha$ full disk images are centered in the frame. The center of the sun disk corresponds to the position $P=(640,512)$ in pixels and the solar radius, on December 6 (2006), is 475 pixels, giving a scale of $1465.2 \mathrm{~km} \mathrm{pixel}^{-1}$ in the images. Coordinates are given in pixels of the HASTA frame.

At $t=18: 28$ UT in the NOAA AR10930 localized at ( $S 06 E 58$ ), a flare $X 6.5$ occurred as reported by the GOES (Geostationary Operational Environmental Satellite) Space Environment Monitor instrument, with the maximum soft X-ray flux measured at $t=18: 47$ UT in the XL band. Figure 1 shows the GOES11 measured X-ray flux (1-Minute Averaged Data) in the XL band ( $1-8 \AA$ ) and XS band $(0.5-3 \AA)$, pointing an abrupt rising slope starting at $t=18: 29$ UT and a slow decay that ends after $t=19: 00 \mathrm{UT}$, exceeding the M and X flare thresholds. The derivative obtained from numerical differentiation of the curves XL and XS shows a sharp increase beginning at $t=18: 40$ UT and $t=18: 42$ UT respectively, with a maximum at $t=18: 44$ UT for both curves. The half of the rising slope of both derivatives occurs at $t=18: 43$ UT.

The Solar Geophysical Data (SGD) reported an $\mathrm{H} \alpha$ 3B flare at $t=18: 45$ UT and the Optical Solar Patrol Network (OSPAN) detected a global Moreton wavefront wave associated with the flare event.

Figure 2a shows the HASTA scene of the NOAA AR10930. The over exposure of the image is due to the onset of the flare. We note the presence of a principal spot accompanied by another one with minor importance, NOAA AR10929. NF and SF are regions identifying a northern and a southern filament, respectively. The corresponding photospheric magnetic distribution, given by the Michelson Doppler Imaging (MDI) on board of the Solar and Heliospheric Observatory (SOHO), is shown in Fig. 2b.

The Moreton wave event is shown in the sequence of Fig. 3. The wavefront is more clearly seen in the AR's south-west direction. The images were taken with the HASTA telescope in full disk using a cadence of 5 sec in the center of the $\mathrm{H} \alpha$ line; i.e., the AR as well as the activation of the two filaments were extensively observed. Note that the wavefronts become weaker and diffuse as the disturbance moves away from the AR.

TRACE (Transition Region and Coronal Explorer Telescope, Handy et al. 1999) observed the flare event in the 160 nm UV


Fig. 1. GOES11: Integrated X-ray flux, 1 - min averaged. The shaded area corresponds to the visibility range of the Moreton wave event. XL:(1-8 Å), XS:(0.5-3 Å)

HASTA 18:37:32 UT


MDI 17:39:01 UT


Fig. 2. Left: HASTA observation of NOAA AR10930, Northern (NF) and Southern filaments (SF). Right: MDI photospheric magnetic field distribution (white/black corresponding to $+/-$ polarity).
band corresponding to the emission lines of CI, with a temporal cadence of 2 sec and a field of view of $256 \times 256$ " ( $512 \times 512$ pixels). The Extreme ultraviolet Imaging Telescope (EIT) has no data records on this day. The SOHO/Large Angle Spectroscopic Coronagraph (LASCO) (Brueckner et al. 1995), began observing at $t=20: 12$ UT in the C2 and at $t=$ 20:18 UT in the C3 detectors. A report at $t=20: 24$ UT from the "Preliminary 2006 SOHO LASCO Coronal Mass Ejection List" indicates signatures of a strong halo event already past the outer edge of the C2's field of view, most likely associated with the X 6.5 X-ray flare occurred on NOAA AR10930 and a gusty outflow on the south-east direction. The automated Solar Eruptive Event Detection System (SEEDS) Catalog reported the detection of a CME wavefront in four frames starting at $t=21: 24: 04$ UT from a height of $\approx 7 R_{\odot}$ and an estimated onset time of $t_{0}=18: 13: 49 \mathrm{UT}$, which can be associated with this flare event. Some other available sources of data for this event are the ISOON patrol telescope, the Global Oscillation Network Group (GONG), the Hinode EIS and SOT instruments (Balasubramaniam et al. 2010), the Polarimeter for Inner Coronal Studies (PICS) and the Chromospheric Helium Imaging Photometer (CHIP) at Mauna Loa Solar Observatory (MLSO) (Gilbert et al. 2008).


Fig. 3. HASTA evolution of the Moreton wave event. The images were treated to enhance the wave.

## 3. Light curves of the flaring region

We analyzed the light curves of different zones in the active region to determine the probable source location and the onset time of the Moreton wave event.

Figure 4a shows the light curve of the whole AR obtained from HASTA (full line) and TRACE (dashed line). Note that the steep profile of the pre-flare phase starts at the same time ( $t=$ 18:42:05 UT) in both telescopes. TRACE reaches the maximum at $t=18: 43: 27 \mathrm{UT}$, five minutes before $\mathrm{H} \alpha(t=$ 18:48:19 UT). Figure 4b-d shows the light curve of each of the three zones inside the AR shown in Fig. 5. Zone 1, centered at $P=(242,411)$, is the more intense part of the flare, Zone 2, centered at $P=(241,427)$, exhibits a temporal behavior similar to the whole AR, and Zone 3, centered at $P=(260,429)$, has a retarded rise time of $\sim 2 \mathrm{~min}$ and the increase of the $\mathrm{H} \alpha$ intensity is progressively displaced towards the north-west direction. As described in Balasubramaniam et al. (2010), this displacement could be owed to the expansion of flare ribbons. To compare all the processes we chose as starting reference time the time where the slope in the TRACE light curve equals half of its maximum value. This is, $t=18: 42: 45$ UT for the whole $\mathrm{AR}, t=18: 42: 56 \mathrm{UT}$ for Zone $1, t=18: 42: 45 \mathrm{UT}$ for Zone 2 and $t=18: 44: 27$ UT for Zone 3.

## 4. Analysis of the Moreton wavefronts

The Moreton wavefronts are visible in 86 HASTA images of the whole set, from $t=18: 44: 00$ UT to $t=18: 51: 05$ UT. Initially, between $t=18: 44: 00$ UT and $t=18: 45: 40$ UT, three circular shaped small separated wavefronts were detected moving towards the south of the NOAA AR10930. Later, at $t=$ 18:45:40 UT, these earliest wavefronts lose their individuality and a global extended single pattern is identified, coming from apparently the same and unique origin, concordantly with Balasubramaniam et al. (2010) who reported two separated Moreton arcs marking the flanks of a coronal arcade at $t=18: 45 \mathrm{UT}$ and a subsequent merge in an unique wavefront after $t=18: 47$ UT. We analyzed the dynamic of the global wavefront separately from that of the earliest wavefronts under the assumption that they are morphologically different. Our data do not distinguish the subsequent global wavefront (five minutes retarded) mentioned by Gilbert et al. (2008).

Measurement of the 2D global wavefront positions
We performed time-distance plots obtained by visual


Fig. 4. NOAA AR10930 light curves. Upper panel: whole region; Upper middle panel: Zone 1; Lower middle panel: Zone 2; Lower panel: Zone 3.


Fig. 5. View of the NOAA AR10930 HASTA zones. The FoV is $128^{\prime \prime} \times$ $128^{\prime \prime}$ centered at $P=(213,383)$.
method (see Warmuth et al. 2001; 2004a; 2004b) to measure the wavefront positions in the $\mathbf{H} \alpha$ images. We discarded other techniques, -like measuring the intensity of the perturbed profiles -, because the images are affected by seeing distortions and they become too faint after the first images. We separated the HASTA H -alpha data into two sets, 17 images between $t=18: 44: 00 \mathrm{UT}$ and $t=18: 45: 40$ UT corresponding to the earliest wavefronts, and 65 images between $t=18: 45: 40$ UT and $t=18: 51: 05$ UT, corresponding to the global wavefronts where the disturbance spans with a bigger circular sector than in the earliest ones (see Fig. 3). The images were enhanced using the running difference technique.

We outlined the wavefront positions with pixel marks drawn over the wavefront trace to determine the wavefront positions in each HASTA image of the sets. The points were chosen to cover the most visible parts of the Moreton wave event, i.e., around $100^{\circ}$ from the south to the west sides of
the AR. Subsequently, we interpolated the points using the spline technique to obtain a polygonal line representing the wavefront. The procedure was repeated, taking five different measurements of the same trace, and averaging the results to minimize errors. The error in each determination was estimated as $\pm 2$ pixels considering a $4^{\prime \prime}$ typical diurnal seeing disturbance at Cesco Station.

Procedure 1: Determination of the radiant point ( $R P$ ). A RP is defined as the coordinate $(x, y)$ point supposed to be the source of the phenomenon. It is usually obtained calculating the center of a projected circle that fits the first Moreton wavefront observed in the images. We fitted circles over the Moreton wavefronts of the full set of HASTA images in order to minimize errors in the RP determination, and taking advantage of the high temporal cadence of HASTA images. Thus, we obtained the RP location using a linear fit from the centers of the circles as a function of time, as follows:

## Determination of a global RP

The global RP is determined by means of the $i$ centers of $C_{i}$ circles. Each $C_{i}$ is the circle that fits all the points of the $i_{t h}$ polygonal line representing the wavefronts measured in the image $i_{t h}$ (Warmuth et al. 2001; 2004a; 2004b). We find the $C_{i}$ centers calculating the chromospheric distance $d$ between two solar surface points, $Q_{j}$ and $K_{k}$, determined by the relation $d(j, k)=R_{\odot} \alpha$, where the angle $\alpha$ is obtained from the dot product $\cos (\alpha)=$ $(\boldsymbol{O Q} /|O Q|) \cdot(\boldsymbol{O K}(\boldsymbol{t}, \boldsymbol{j}) /|O K(t, j)|)$, being $O$ the center and $R_{\odot}$ the radius of the solar sphere. Varying $K_{j}$ over all the points of the polygonal line, and $Q_{k}$ over an area centered at NOAA AR10930, the $C_{i}$ center is determined. We use the LevenbergMarquardt algorithm and the least square method, to determine the best fit of the computed $d(j, k)$ to the spheres centered at $Q_{j}$. The $C_{i}$ circles are the intersections of each fitted sphere with the solar sphere. The $C_{i}$ center is the RP of the $i_{t h}$ polygonal line.

We use the five different aforesaid measurements of each polygonal line to diminish errors. Fig. 6 shows in solid line the RP coordinate $(x, y)$, and the radius of the circles $C_{i}$, as a function of time. The dashed lines are the linear fits of the curves in the region delimited by vertical bars, leaving out the last discordant parts of the curves. As expected, the radius evolves, the extrapolation radius $\rightarrow 0$ gives information about the onset of the event, $t_{0}=18: 41: 03.5 \pm 9.3 \mathrm{UT}$, and its slope gives the mean wavefront expanding speed, which has a value of $s_{0}=868.8 \pm 19.1 \mathrm{~km} \mathrm{~s}^{-1}$. The onset time and speed values are consistent with those obtained by Balasubramaniam et al. (2010) $\left(t_{0}=18: 41: 13\right.$ UT and $s_{0} \simeq 850 \mathrm{~km} \mathrm{~s}^{-1}$ ). The RP coordinate is obtained from the linear fits shown in the upper and middle panels of Fig. 6, i.e., calculating the $x, y$ values at the initial time of the global wavefronts data set: $t=18: 45: 40$ UT. The change with time of the RP coordinate can be attributed to the evolution of the Moreton wave in a non-uniform medium. The location of the RP global wavefront resulted: $Q_{0}=(269.3 \pm 4.5,422.3 \pm 7.9),(N 00.6 E 54.3)$. Fig. 7 shows the position of $Q_{0}$ in an HASTA image.

## Determination of the earliest wavefront RPs

Figure 7 shows the earliest wavefronts, i.e., the three small circular shaped fronts denoted as $F_{1}, F_{2}$ and $F_{3}$. They appear sequentially in time and in ascending order. Their presence suggest either, anisotropies in the local medium or the existence of more than one RP or propagating disturbance (Muhr et al. 2010). We determined the RP for each $F_{i}$ in order to analyze them separately. We applied Procedure 1 to 27 HASTA images


Fig. 6. Determination of the global wavefront RP position. Upper panel: X coordinate; Middle panel: Y coordinate; Lower panel: Radii of the extrapolated circles. The dashed lines correspond to the linear fits.


Fig. 7. Location of the RPs: $Q_{0}$ corresponds to the global wavefront; $Q_{1}, Q_{2}, Q_{3}$, correspond to the earliest wavefronts $F_{1}, F_{2}, F_{3}$ respectively. The size of the crosses indicate the measured error. $S E$ indicates the small-scale ejecta origin. The $\mathbf{F o V}$ is $800^{\prime \prime} \times 600^{\prime \prime}$.
in the time range 18:43:26-18:45:36 UT for $F_{1}, 14$ HASTA images in the time range 18:44:31-18:45:36 UT for $F_{2}$ and 8 HASTA images in the time range 18:45:01-18:45:36 UT for $F_{3}$. As in the global RP case, we find an increasing radius with time and a displacement of the RPs coordinates, although the curves are more irregular. The chi-square test of the linear fits for $F_{1}$ and $F_{2}$ gives poor confidence.
As for the global wavefront, we obtained the RPs coordinates of each earliest wavefront. The $x, y$ linear fit, computed at the first appearance time resulted in the RP locations: $Q_{1}=(254.7 \pm 4.8,402.8 \pm 14.2), Q_{2}=(307.7 \pm 4.9,385.8 \pm 11.3)$ and $Q_{3}=(287.7 \pm 2.9,344.5 \pm 0.7)$ respectively. The positions
of the RPs $Q_{1}, Q_{2}, Q_{3}$ are also shown in Fig. 7. Note that they are approximately situated in the segment formed by $F 1, F 2, F 3$ and the global RP $Q_{0}$ respectively.

Procedure 2: Determination of chromospheric distances. We measured the chromospheric distances $d$ traveled by the Moreton wave from the RP $Q_{0}$ to a point $P$ located over each wavefront, along great circles passing through these two points, obtained similarly to the previously described Procedure 1.

Figure 8 shows in black, some of the polygonal lines representing the Moreton wavefronts which were crossed by 41 great circles, plotted in white, covering the south-west region. These great circles were traced between $Q_{0}=(269,422)$ and 41 points, $P_{j}$, obtained by rotating counterclockwise the arbitrary point $P_{0}=(265,336)$, ( $S 09.4 E 61.9$ ) on the axis $\boldsymbol{O} \mathbf{Q}_{\mathbf{0}}, 5$ degrees each time. The point $P_{0}$ is located $235.8^{\circ}$ measured clockwise from the meridian passing through $Q_{0}$. The wavefront positions in each HASTA image are established as the intersections of the polygonal lines representing the Moreton wavefront and the great circles $j$, i.e., defining $K(t, j)$ values, $j$ covering the 41 great circles, and $t$ covering 65 polygonal lines. Note that the great circle 14 passes through the SF.

Figure 9 shows (solid line) the average chromospheric distance $\langle d\rangle$ of the 41 great circles, measured from the RP $Q_{0}$, as a function of time in the range 18:45:40-18:51:05 UT. The vertical bars correspond to a curve dispersion of 1 -sigma uncertainty. The average was calculated as: $\langle d\rangle=\Sigma_{i} d_{i} / 41$, where $d_{i}$, $i=1-41$ is the chromospheric distance measured along the $i$ great circle previously defined. Note the smooth behavior of the initial trend and the later increase of the scatter, due to the vanishing and broadening of the wavefronts. The curve shows an initial quadratic trend in the interval 18:45:40-18:49:21 UT followed by a more linear one, after $t=18: 49: 21$ UT. We determined the boundary between these two parts by selecting, from several curve points, those that minimize the errors in the quadratic fit. The time interval 18:45:41-18:49:21 UT was identified as the best fit for the quadratic curve. The dashed lines $A, B$ in the Fig. 9 correspond to two quadratic fits of the curve $\langle d\rangle . A$ is the fit for the initial quadratic interval and $B$ is the fit considering the full set of global wavefronts. Curve $C$ is a linear fit using the last part of curve $\langle d\rangle$, after $t=18: 49: 21$ UT.

Curve $D$ is a power-law fit on the complete set of global wavefronts. The power-law is:

$$
\begin{equation*}
d(t)=c_{1}\left(t-t_{i}\right)^{\delta}+c_{2} \tag{1}
\end{equation*}
$$

where $\delta$ is the power-law exponent, $c_{1}, c_{2}$ are constants, and the initial time is $t_{i}=18: 42: 00$ UT. The plotted curve $D$ has exponent $\delta=0.578627$, constants $c_{1}=15.287$ and $c_{2}=-108.609$. Figure 9 also shows the earliest wavefront chromospheric distances $\langle d\rangle$ in the time lapse: 18:43:26-18:45:40 UT. For simplicity, the distances were calculated from RP $Q_{0}$. The RPs $Q_{1}, Q_{2}$, $Q_{3}$ are almost aligned between $F 1, F 2, F 3$ and $Q_{0}$ (see Fig. 7). Note the fine concordance of the whole trend in Fig. 9, i.e. the earliest wavefronts and the global one seem to be originated simultaneously (same onset time) at a common location coincident with $Q_{0}$. However, $F_{1}$ has a different initial evolution which seems to deviate from the overall kinematic curve, and there is a minor misalignment at the beginning of $F_{2}$.

## 5. 2D kinematics of the Moreton wave event

We inferred the Moreton wavefront speed and acceleration from the linear, the quadratic and the power-law curves


Fig. 8. In black the track of the polygonal lines or Moreton wavefronts; in white the 41 great circles passing through $Q_{0}$ and equispaced five degrees counterclockwise starting from $P_{0}$. The $\mathbf{F o V}$ is $\approx 1400^{\prime \prime} \times 1400^{\prime \prime}$.


Fig. 9. Solid line: 2D averaged chromospheric distance $\langle d\rangle$ from $Q_{0}$ with a 1 sigma dispersion value. Earliest wavefronts $F_{1}, F_{2}, F_{3}$ before $t=18: 45: 40$ UT. $A$ : partial quadratic fit. $B$ : Total quadratic fit. $C$ : Partial linear fit. $D$ : Power-law fit.
fitted to the segments shown in Fig. 9 instead of using the derivative technique (see Warmuth et al. 2004a; 2004b; Temmer et al. 2009; Muhr et al. 2010; 2005b).

We estimated the acceleration for the quadratic fits assuming a constant value and a rectilinear motion:

$$
\begin{equation*}
x=x_{0}+v\left(t-t_{0}\right)+\frac{1}{2} a\left(t-t_{0}\right)^{2} \tag{2}
\end{equation*}
$$

For the power-law fit, the instantaneous modulus of acceleration is obtained as

$$
\begin{equation*}
a(t)=c_{1} \delta(\delta-1)\left(t-t_{0}\right)^{(\delta-2)} \tag{3}
\end{equation*}
$$

We divided the average curve $\langle d\rangle$ in two segments: an initial quadratic trend (curve $A$ ) followed by a linear one (curve $C$ ) as indicated previously. Curves $B$ and $D$ correspond to the

Table 1. 2D Kinematic parameters and onset times obtained from curves $A, B, C, D$.

| Curve | $t_{0}$ <br> $[\mathrm{hh}: \mathrm{mm}: \mathrm{ss}]$ | $a_{0}$ <br> $\left[\mathrm{~km} \mathrm{sec}^{-2}\right]$ | $a_{1}$ | $s_{0}$ | $s_{1}$ | $s_{2}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\left[\mathrm{~km} \mathrm{sec}^{-1}\right]$ |  |  |  |  |  |
| $A$ | $18: 42: 28 \pm 38$ | $-2.4 \pm 1.1$ | $\ldots$ | $1463 \pm 350$ | 1000 | 219 |
| $B$ | $18: 41: 48 \pm 30$ | $-1.2 \pm 0.6$ | $\ldots$ | $1170 \pm 350$ | 895 | 510 |
| $C$ | $18: 39: 36 \pm 76$ | 0.0 | $\ldots$ | $696 \pm 245$ | $\ldots$ | $\ldots$ |
| $D$ | $18: 42: 30 \pm 01$ | $-30.2 \pm 0.3$ | -1.74 | $2121 \pm 23$ | 910 | 621 |
| $C_{S F}$ | $18: 42: 28 \pm 117$ | 0.0 | $\ldots$ | $907 \pm 166$ | $\ldots$ | $\ldots$ |



Fig. 11. Plane view $x-y$ of chromospheric distances $\langle d\rangle$ centered at $Q_{0}$. The dashed curves are three circles fitted to the wavefronts. NF and SF indicates the measured points of the filaments. $F_{1}, F_{2}, F_{3}$ indicate the earliest wavefronts. $S E$ is the small-scale ejecta initial location. $Q_{1}, Q_{2}, Q_{3}$ indicate the earliest wavefront RPs.
wave propagation direction and has a length of $\simeq 0.2 \mathrm{R}_{\odot}$. The light curves positions are: 1) $P_{L}=(641,149)$ for the left end, 2) $P_{C}=(681,144)$ for the center and, 3) $P_{R}=(719,131)$ for the right end (see Fig. 11). The activation times obtained are $t_{L}=18: 55: 11 \mathrm{UT}, t_{C}=18: 55: 51 \mathrm{UT}$ and $t_{R}=18: 58: 11 \mathrm{UT}$, respectively. Figure 10 (left panel) shows the $P_{L}$ light curve.

Northern Filament: The NF is sigmoid shaped, oriented obliquely to the Moreton wave propagation direction. It is situated at (N38 E61), with an average distance of 317.5 pixels $(460 \mathrm{Mm})$ from the AR. Its size is similar to the SF one. The light curves positions are: 1) $P_{T}=(250,743)$ for the top end, 2) $P_{C}=(260,717)$ for the center and, 3) $P_{B}=(270,694)$ for the bottom end (see Fig. 11). The activation times obtained are $t_{T}=18: 51: 06 \mathrm{UT}, t_{C}=18: 50: 41 \mathrm{UT}$ and $t_{B}=18: 48: 56 \mathrm{UT}$, respectively. The NF light curve exhibits an oscillatory pattern as can be seen for $P_{T}$ in Fig. 10, right panel.

We computed the chromospheric distances between the RP $Q_{0}$ to the NF's and to the SF's previously selected points with the aim to obtain the spatiotemporal correlation of the filament activations with the Moreton wave passage. Figure 12 shows the average chromospheric distance $\langle d\rangle$ traveled by the Moreton wavefronts jointly with the filament activation points, all of them measured from $Q_{0}$. The solid gray lines represent the minimum and maximum values of $d$. Curves $A, B, C, D$ were described in Sec. 5 (see Fig. 9). The three NF activation points are coincident with the visible time range of the Moreton wave event, but the wave is not visible at the location of the NF. On the contrary, the SF points are activated between $3-6 \mathrm{~min}$ later than the last measured wavefront, despite they are located in the zone of maximum visibility of the wave.

Figure 12 shows that the positions of the filament activation points are all seen above the curve $\langle d\rangle$ except for the NF center point. The top and bottom NF points fall within the measured


Fig. 10. 2D Filament light curves: Activation times for SF (left) $\left(P_{L}=(641,149)\right)$ and NF (right) $\left(P_{T}=(250,743)\right)$.


Fig. 12. 2D Space and time location for all features. Linear and quadratic fits of the coronal distance $\langle d\rangle$, averaged over the great circles corresponding to $P_{1}-P_{40}$ related to $Q_{0}$.
error range. The extrapolation of the linear fit $C$ for the SF (last part of curve $\langle d\rangle$ ) gives the closest curve to the three activation points, but the curve results separated from them $\approx 100 \mathrm{Mm}$. The SF falls in the region where the Moreton wavefront seems distorted (see Fig. 11), directed towards great circle number 14. We superimposed the curve $d$, measured along this great circle, indicated as $G C_{S F}$. The straight line denoted as $C_{S F}$ is a linear fit over the curve $G C_{S F}$ in the time range 18:49:21-18:51:05 UT (linear trend of $\langle d\rangle$ ), which yields a fine coincidence with the three SF activation points. Table 1 also lists the kinematic parameters of curve $C_{S F}$. We indicate additionally over the $x$-axis in Fig. 12 the measured times of the features apparently related to the ignition time of the Moreton wave event, i.e., the GOES corresponding time to half the derivative rising slope ( $t=$ 18:43:00 UT), the time corresponding to half the rising slope of the Zone 1 flare light curve ( $t=18: 42: 45$ UT) and the small-scale ejecta activation time ( $t=18: 42: 20$ UT), described in Sec. 8 of this paper.

## 7. The flaring region seen by TRACE

TRACE images cover the full flare event with a temporal cadence of 2 sec . The 160 nm UV passband filter shows atmospheric emission in the temperature range of $\approx\left(5 \times 10^{3}-10^{5}\right) \mathrm{K}$. Since from these images it is not possible to distinguish wavefront features as in the $\mathrm{H} \alpha$ Moreton ones we measured other dy-
namic characteristics to analyze their relation with the Moreton wave event.

The more relevant feature is a small-scale ejecta at the west side of the flaring region, which appear close in time with the ignition of the flare (Balasubramaniam et al. 2010). The smallscale ejecta is able to produce coronal shocks (Warmuth 2007; Pohjolainen et al. 2008; Temmer et al. 2009). Thus, we measured the 2D evolution of this TRACE feature by using Procedure 2, as done with the Moreton wavefronts, i.e., first enhancing the images with the running difference technique, then identifying wavefront points and calculating their positions by intersecting great circles with polygonal lines traced over them.

The evolution of the small-scale ejecta starts at $t=$ 18:42:20 UT and lasts $\simeq 1 \mathrm{~min}$. It has an apparent shape of a rising magnetic loop and would indicate the eruption of a narrow filament as noted by Balasubramaniam et al. (2010). Fig. 13 shows with black arrows the TRACE location of the bright plasmoid for different times, moving from north-west to south-east. The initial position of the ejecta is $(234,414)$; (N00.7 E63.5) and is indicated as $S E$ with a dark circle in Fig. 7. Fig. 14 shows the distance traveled by the small-scale ejecta in evolution wich is superimposed with a second degree polynomial curve fit. We estimated a constant acceleration of $a \simeq 33.8 \mathrm{~km} \mathrm{~s}^{-2}$ by using the equation of rectilinear motion with uniform acceleration We obtained the ascending speed and height from the projected coordinate $(x, y)$ supposing that the small-scale ejecta travel perpendicularly to the solar surface. The angle used to make calculations is the angle between the tangent plane to the sun surface at the point $Q_{S E}$ and the plane of view, i.e., $\simeq 63.4^{\circ}$. This allowed us to estimate a constant acceleration of $\simeq 37.3 \mathrm{~km} \mathrm{~s}^{-2}$ and a final speed of $\sim 2160 \mathrm{~km} \mathrm{~s}^{-1}$, at $t=18: 43: 20$ UT (at the end of its visibility). By assuming that the event started its motion close to the solar surface, it is at this time the plasmoid reaches a height of 60 Mm . We measured a radius of $R \simeq 1 \mathrm{Mm}$ for the plasmoid at the beginning of its evolution. Later it expanded, reaching almost $R \simeq 5 \mathrm{Mm}$ at $t=18: 43: 00$ UT. Following Temmer et al. (2009), it can be argued that the small-scale ejecta is capable of producing shock waves in the solar corona.

## 8. The RP located at the origin of the small-scale ejecta.

We took RP as the initial position of the ejecta $S E$ by assuming hypothesis $H 3$, supposing that the whole Moreton event, -or part of it-, is originated by the small-scale ejecta (Warmuth et al. 2007). We measured the chromospheric


Fig. 13. Sequence showing the evolution of the small-scale ejecta in the TRACE images (black arrows). The FoV is $\approx 95^{\prime \prime} \times 175^{\prime \prime}$.


Fig. 14. 2D Displacement of the small-scale ejecta as a function of time.


Fig. 15. Solid line: 2D averaged chromospheric distance $\langle d\rangle$ measured from $S E$ together with dispersion bars. Earliest wavefronts $F_{1}, F_{2}, F_{3}$ plotted $t=18: 45: 40$ UT (indicated with a vertical line). The global wavefronts are plotted after $t$. Curves $A, B$ : partial and total global quadratic fits. Curve $C$ : linear global fit. $D$ : Power Law global fit. Curves $U, V$ : quadratic and linear fits for the earliest wavefront $F_{1}$.
distances from $S E$ to the Moreton wavefronts and obtained the kinematic curve shown in Fig. 15. If we compare the kinematic curve of Fig. 9 with that of Fig. 15, this last shows a larger scatter of data, a misalignment of the earliest wavefront curve $F_{3}$, a better alignment of the earliest wavefront $F_{2}$, and a differentiated kinematic curve for the earliest wavefront $F_{1}$. The $F_{1}$ curve has a positive acceleration and appears detached from the other curves. Curves $U$ and $V$ correspond to a quadratic and
a linear fit for $F_{1}$. The quadratic fit $U$ yields an acceleration of $4.2 \pm 4.4 \mathrm{~km} \mathrm{~s}^{-2}$ and the linear fit $V$ indicates a mean speed of $597 \pm 64 \mathrm{~km} \mathrm{~s}^{-1}$.

## 9. Discussion

## HASTA data interpretation

The December HASTA 6th, 2006 event of the AR10930, can be described as a typical Moreton wave phenomenon despite of its global scale.

A distinctive feature of this event is the presence of irregular shapes identified as three earliest Moreton wavefronts. They are recognized as three circular patterns which appear sequentially. They were analyzed separately to identify more than one RP or more than one propagating disturbances (Muhr et al. 2010). We used several appropriate procedures to obtained the RP locations. We measured the chromospheric distances traveled by the wave from the calculated RPs to analyze the feasibility of different triggering mechanisms.

## The kinematics of the Moreton wave event

We assumed that the RP is placed at $Q_{0}$ and that the wavefront propagate spherically. A unique average kinematic curve, within measurement errors, adjusts the whole phenomenon, i.e., the three earliest wavefronts and the global one. This could indicate that the perturbation consists of a single coronal propagating wave triggered by a single ignition process.

Stating Warmuth (2004a) we used a quadratic and a power law curve fit to obtain the kinematic parameters of the event. We provide only fits for the global wavefront, i.e. the time range where the disturbance is more extended angularly and apparently unique. As the Moreton wave seems slightly decelerated with time and distance, as noted by Warmuth (2004a), we performed several fits for different parts of the curve, considering an initial quadratic evolution ending in a linear trend towards the final visible stage of the perturbation. This fitting procedure resulted in curves $A$ and $C$ as shown in Fig. 12. Curve $A$ gives a right depiction of the dynamic behavior described by $\langle d\rangle$, from the initial visibility of the disturbance to $\approx 7 \mathrm{~min}$ later, covering a distance of $\approx 300 \mathrm{Mm}$. The perturbation starts with a constant deceleration of $\simeq-2.4 \pm 1.1 \mathrm{~km} \mathrm{sec}^{-2}$, with an initial speed of $\simeq 1463 \mathrm{~km} \mathrm{sec}^{-1}$, slowing down to $\simeq 696 \mathrm{~km} \mathrm{sec}^{-1}$ at the final stage of the visible time range, where the evolution is almost linear (curve $C$ ). The onset time ( $t_{0}=18: 42: 28 \pm 38$ UT), extrapolated from the quadratic curve $A$ reaches a well agreement with the GOES time associated to half the derivative rising slope ( $t=18: 43 \mathrm{UT}$ ), the time associated to half the rising slope of the flare light curve in Zone $1(t=18: 42: 45)$ and the smallscale ejecta activation time ( $t=18: 42: 20$ UT). The onset time obtained is coincident also with the peak of the photospheric net Lorentz force obtained from the GONG magnetograph as reported by Balasubramaniam et al. (2010).

Some authors (Warmuth et al. 2001, Warmuth et al. 2004b, Veronig et al. 2006, Okamoto et al. 2004, Temmer et al. 2009) agree that there is a coincidence between the beginning of the flare and the origin of the Moreton perturbation, thus supporting hypothesis H1. However, other authors (Narukage et al. 2002, Muhr et al. 2010) suggest that Moreton waves are originated prior to the flare ignition, which reinforces hypothesis $H 2$. The onset time obtained in this paper from curve $A$ indicates that the Moreton wave event is originated close to the flare explosive phase (Smith \& Harvey 1971). The maximum intensity of the
flare, measured from the TRACE light curves, occurs $\simeq 1 \mathrm{~min}$ later, at $t=18: 43: 27$ UT.

As suggested by Balasubramaniam et al. (2010), there could be a coincidence of the onset time with the CME launch (hypothesis $H 2$ ) since the photospheric changes of the Lorentz force result from changes in the coronal magnetic field, which correspond to the main acceleration phase of the CME.

The power-law fit resulting in curve $D$ (see Fig. 12) is an accurate fit of $\langle d\rangle$ for the whole evolution of the Moreton global wavefront. The extrapolated onset time ( $t_{0}=18: 42: 30 \pm 01 \mathrm{UT}$ ) is in accord with the obtained value for curve $A$; however, the extrapolated acceleration at the onset time ( $a_{0}=-30.2 \pm$ $0.3 \mathrm{~km} \mathrm{sec}-{ }^{-2}$ ) and the corresponding speed ( $s_{0}=2121 \pm$ $23 \mathrm{~km} \mathrm{sec}^{-1}$ ) are much larger than the others. As discussed by Warmuth et al. (2004a) a strong initial deceleration of the wave could be caused by the denser medium inside the AR. In the later evolution (during the visibility of the Moreton wavefront) these values could diminish and appear comparable to those obtained from curves $A, B$.

The fitted quadratic curve $B$ (see Fig. 12) gives a reasonable fit for $\langle d\rangle$ in all the evolution of the disturbance but appears to be less suitable to describe the last part of the event. Its starting constant deceleration is $a_{0} \simeq-1.2 \pm 1.1 \mathrm{~km} \mathrm{sec}^{-2}$, with an initial speed of $s_{0} \simeq 1170 \mathrm{~km} \mathrm{sec}^{-1}$, slowing down to $s_{2} \simeq 510 \mathrm{~km} \mathrm{sec}^{-1}$ at the end of the visibility stage. The extrapolated onset time ( $t_{0}=18: 41: 48 \pm 30 \mathrm{UT}$ ), occurs $\simeq 40 \mathrm{sec}$ before the power-law case.

As stated in Warmuth et al. (2004a) the event could be more adequately characterized with a non-constant deceleration, as is in the case of the fitting by parts (curves $A, C$ ), or in the power-law fit (curve $D$ ). This fact would constrain the nominal onset time to be $t_{0} \approx 18: 42: 30 \mathrm{UT}$, and the initial acceleration and speed $a_{0}, s_{0}$ would be equal or higher than those found for curve $A$.

## The interaction Moreton wave-filaments

We measured the activation times of NF and SF to study the winking of them by analyzing the light curves coming from points lying over the filaments. However, the real process of interaction between the Moreton wavefront and the quiescent structure of the prominence is unknown and these values could be inaccurate. In accord with the filament light curves, the NF exhibits a kink-mode oscillation which can be attributed to the oblique impact of the Moreton wavefront over the NF (see Fig. 11). Instead, the SF is almost perpendicular to the Moreton wavefronts and oscillates along the spine. The SF has an estimated height of $0.09 R_{\odot}$ and the lower NF height is $<0.01 R_{\odot}$ (Gilbert et al. 2008). In order to test the hypothesis of a single propagating disturbance we are interested in determining if the obtained kinematic curves can approximately explain the winking of both filaments.

The SF is located in line with the more intense Moreton disturbances but far away from the AR, thus it was not possible to measure the passage of the wave in its surroundings. The NF, located nearer to the AR, is outside the zone where the wave can be distinguish in the $\mathrm{H} \alpha$ images. The curves $B, C, D$ (see Fig. 12) are concordantly with the NF position and activation time, considering the error band of the measurement. This would indicate that the evolution of the wave continues with the same trend in the north direction. Instead, the SF could only be aligned by the linear fit $C_{S F}$, measured along the great circle passing over it. This fact could be attributed to changes in the physical parameters of the medium found by the shock front as it travels.

The same fact would produce a non circular shape on the latest Moreton wavefront shown in Fig.s 8, 11, which suggests that the wave evolves irregularly away from the origin, particularly in the direction of the SF. Even when the Moreton wave event is visible in a quiet chromospheric region we know that the perturbation passes through a complex magnetic region, i.e., the AR10930 south west features.

If we consider curve $A$, it transforms into a straight line after the initial quadratic trend. This later linear dynamic trend is consistent with the location and time activation of the SF , by considering curve $C_{S F}$. Unfortunately, the image resolution is worse in the latest images and it was not possible to obtain detailed measurements which lead to a more reliable fit. Far from the RP as in the case of the $\mathrm{SF}(d \simeq 800 \mathrm{Mm})$, the kinematic parameters obtained measuring the wavefronts at the chromospheric height could also be inaccurate for the coronal event due to the solar surface curvature.

The earliest wavefronts $F 2$ and $F 3$, appear in well alignment with the mean global kinematic curve (quadratic fit $A, B, D$ shown in Fig. 12). If the misalignment of $F 1$ at the beginning of the curve is discarded due to the large error values, it could be asserted that the Moreton wave event is a unique spherical wave originated from a single RP, that activates both filaments with the wavefront passage.

## The origin of the Moreton wave event

As a first approximation, it seems that the December 6th, 2006 Moreton wave event is better explained by a blast-wave scenario, in which a single source, compact and expansive, causes a spherical coronal shock wave. A blast-wave could be initiated by a pressure pulse, or by an impulsive 3D piston, generating a perturbation that steepens into a shock. Moreover, the pressure pulse could be generated by the flare itself (flare-ignited wave scenario, $H 1$, Vršnak et al. 2006).

Accordingly with Temmer et al. (2009) and Pomoell et al. (2008), a Moreton wave event can also be produced by a strong and impulsive acceleration of a source acting as a temporary piston. Therefore, the scenario of a CME-induced piston mechanism (hypothesis H2) can be related to the motion of the top of a rising flux rope (Chen et al. 2002; 2005a; 2005b) or to the motion of both sides of the flux rope, when the flanks expands (Muhr et al. 2010; Veronig et al. 2008). Temmer et al. (2009) suggested that the lateral motion of the CME flanks is the more reliable source of a Moreton event. Instead, Narukage et al. (2008) proposed that not the CME itself but the erupting filament can act as a piston being responsible of the Moreton waves generation. Balasubramaniam et al. (2010) argued that the December 6th, 2006 Moreton wave event is a consequence of the variation of the Lorentz force applied to the photosphere and due to a large change in the coronal magnetic field that had lead to the main acceleration phase of a CME. The peak of this force, that occurred at $t \approx 18: 42: 00 \mathrm{UT}$, shows a well coincidence with the onset times obtained in this paper (see Table 1).

Since not large acceleration values are expected for the top of the CME ejection, a lateral acceleration $\approx 4.5-5.5 \mathrm{~km} \mathrm{sec}^{-2}$ would give account of the time and distance needed for the Moreton shock formation. Thus, Balasubramaniam et al. (2010) postulated that the eruption of the western arcade is responsible for the CME ejection and consequently of the Moreton coronal shock.

The RP $Q_{0}$ is located to the east of the western arcade, in the direction of the flaring region. This position is not coincident with any of the likely sources of the disturbance. However, this inconsistency could be attributed to inhomogeneities of the
medium that distort the initial shock formation and not to a real location of its origin, i.e. the gradient in the Alfvén speed in the border of the AR could retard the shock formation towards the AR. Although there is evidence of an halo-type CME, detailed observations are not available in order to analyze its relation with the Moreton wave. There is also a lack of EIT observations to study related coronal transients. Therefore, the scenario of a CME-induced piston mechanism, as suggested by Balasubramaniam et al. (2010), cannot be examined in more detail.

Regarding the flare pressure pulse scenario (hypothesis H1), Balasubramaniam et al. (2010) showed that the timing of the pressure pulse during the shock formation gives reasons against this hypothesis. Approximate calculations lead to rather extreme values of speed and acceleration. Thus, the needed scale length of the pressure pulse exceeds the size of a typical flare kernel of ~ 10000 km (Vršnak \& Cliver 2008). From our calculations, the timing is in accord with the values obtained by Balasubramaniam et al. (2010). However, we find that initial speed values larger than $1400 \mathrm{~km} \mathrm{sec}^{-1}$ and accelerations larger than $-2.4 \mathrm{~km} \mathrm{sec}^{-2}$ are, as discussed above, feasible and thus, could favor the flare pressure pulse hypothesis.

Temmer et al. (2009) reproduced a Moreton wave event simulating the piston-like accelerated expanding source with a pressure pulse and analyzed the effects of different source sizes and velocities. By referring to hypothesis $H 3$, our measurements of the small-scale ejecta radius $\sim 1-5 \mathrm{Mm}$ and acceleration $\sim 37 \mathrm{~km} \mathrm{sec}^{-2}$ are at least one order of magnitude smaller and faster than those considered as the most probable by Temmer et al. (2009). However, the strong acceleration of the smallscale ejecta (probably produced by magnetic structuring processes during the CME ejection) could act as a temporary piston generating perturbations that can steepen into shocks that propagate freely, (Warmuth et al. 2004a 2004b). Fast accelerated small 3D piston-like ejecta is capable of generating shock waves. As noted in Vršnak \& Cliver (2008), a piston driver of the blunt type, not necessarily supersonic, originates a hyperbolic-shaped shock wave at its front. Meanwhile, the distance between the shock and the driver increases with time. The track of a shock induced by the small-scale ejecta, could presumably exhibit an accelerated motion when it arrives to the chromosphere, depending on the vertical acceleration, the direction of motion and the speed reached by the ejecta. This could indicate that the kinematic curve with a positive acceleration corresponding to the earliest wavefront $F_{1}$ shown in Fig. 15 (fitted curve $U$ ), is a shock wave originated by the motion of the ejecta. This assumption could be reinforced due to the location of $S E$ in front of the earliest wavefronts $F_{1}$ shown in Fig. 11. It could be argued that the ejecta is too small to produce a chromospheric trace of the characteristics of $F_{1}$. Balasubramaniam et al. (2010) suggested that the eruption of the eastern arcade could generate the northern part of the wave, and could be acting as a precursor for the western arcade eruption. If the case is this, probably $F_{1}$ is the imprint of this eruption.

The proximity of $S E$ and $Q_{0}$ suggests that if two waves were launched simultaneously from these points they should be seen superimposed at a certain distance from the origin. After the temporary pistons that originate the waves finished their actions they would show similar kinematic evolutions. It should be further noted, that the more intense flaring region (Zone 1) is located at the vicinity of $S E$, therefore it is possible that the flare itself originated $F_{1}$.

Assuming that the small-scale ejecta produces the earliest wavefront $F_{1}$, is it possible that a similar mechanism in the west-
ern arcade launches the global disturbance?, i.e. a rising magnetic structure faster and less massive than the CME itself. The hypothesis that the small-scale ejecta is a precursor of the main disturbance seems not correct. The ejecta acquires a large speed after the probable ignition of the global disturbance, as discussed above. On the contrary, the onset time and the proximity of $S E$ to $Q_{0}$ suggest that the ejecta could be initiated by the main Moreton disturbance. The first emergence of the earliest wavefront $F_{1}$ could be explained as a fast 3D piston generating a shock wave, which is initially faster than the global disturbance. Later the shocks would slowed down and merged, forming an apparently unique wavefront.

As discussed above, the different scenarios proposed in the literature (e.g. CME originated 3D piston, flare ignited pressure pulse) could oversimplify the description. A more complex and mixed scenario might be required to explain each observational case. Not only the origin and number of blast waves is under discussion, but also the scenario itself could be multiple. From this analysis it could be inferred that several distinct events were launched almost simultaneously, some of which are capable of generating shock waves in the solar corona. The ignition of them could be related with a drastic magnetic restructuring of the coronal medium, being the CME lift off part of this process.

## 10. Conclusions

We conclude that the Moreton wave event observed on December 6th, 2006 detected with the $\mathrm{H} \alpha$ Solar Telescope from Argentina (HASTA), is a coronal fast shock wave of a "blast" type originated in a single source during a CME ejection. Its onset time is concurrent with the peak of the Lorentz force applied to the photosphere measured by other authors for the same event. The event shows an overlap with the flare explosive phase and small-scale ejecta ignition. The kinematic parameters obtained, i.e. the onset time of the event $\left(t_{0} \simeq 18: 42: 28 \mathrm{UT}\right)$, the initial deceleration ( $a_{0} \geq 2.4 \mathrm{~km} \mathrm{sec}^{-2}$ ) and the initial speed ( $s_{0} \geq$ $1463 \mathrm{~km} \mathrm{sec}^{-1}$ ), are higher than those obtained by other authors for the same event.

Concordantly with the evolution of the shock wave, two distant filaments were activated.

The wavefronts have local irregularities which can be attributed to inhomogeneities of the coronal medium that crosses the disturbance. At the initial stages, three earliest wavefronts which can be regarded as a result of these irregularities, appear detached. However, the first of them could be considered having a kinematic evolution different from the others. This will occur if the origin is placed east-side of the RP, in the surroundings of the small-scale ejecta location, which could indicate a separate origin for this earliest wavefront.

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